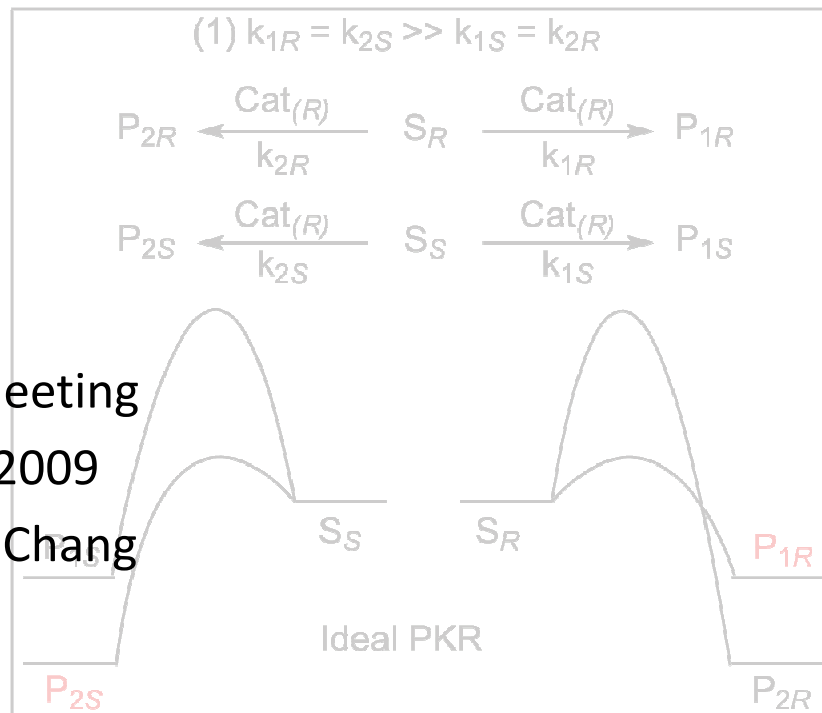
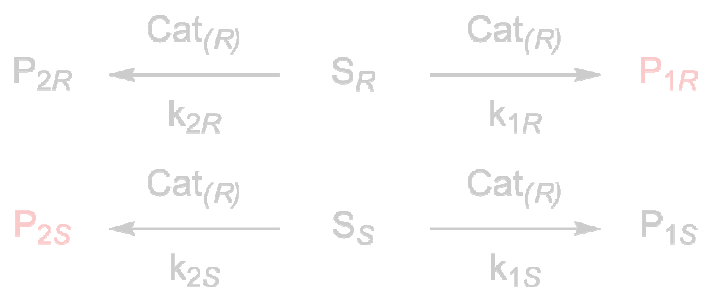


Parallel Kinetic Resolution (PKR)

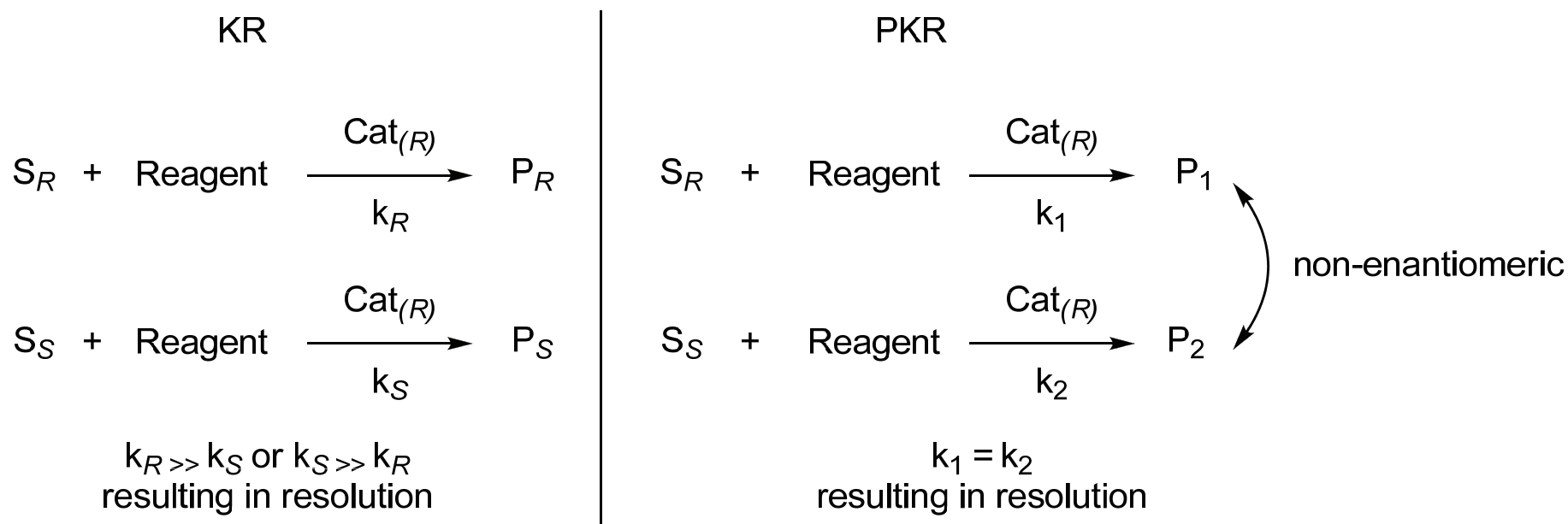


Group Meeting
 09-29-2009
 Timothy Chang

KR versus PKR

KR: One enantiomer is transformed into a product relatively rapidly, while the other enantiomer reacts slowly (resulting in the enantioenrichment of product or starting material).

PKR (coined by Vedejs, 1997): Both enantiomers react efficiently, but they are converted into non-enantiomeric products.



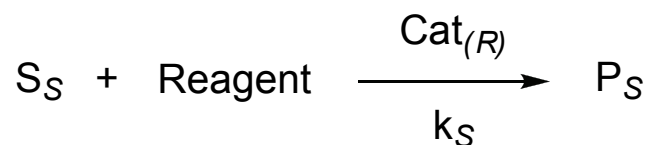
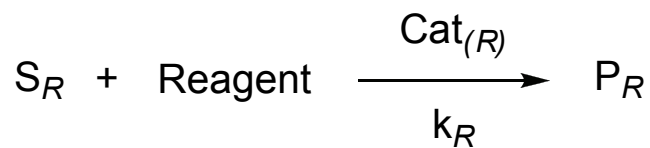
P_1 and P_2 are

1. diastereomers (stereodivergent)
2. constitutional isomers (regiodivergent)
3. different compounds (chemodivergent, one product can be achiral)

Vedejs, E.; Chen, X. *J. Am. Chem. Soc.* **1997**, *119*, 2584.

Tanaka, K.; Fu, G. C. *J. Am. Chem. Soc.* **2003**, *125*, 8078.

The Basic of KR (1)



Efficiency (relative rate or selectivity factor)

$$s = k_{\text{rel}} = k_{\text{fast}}/k_{\text{slow}}$$

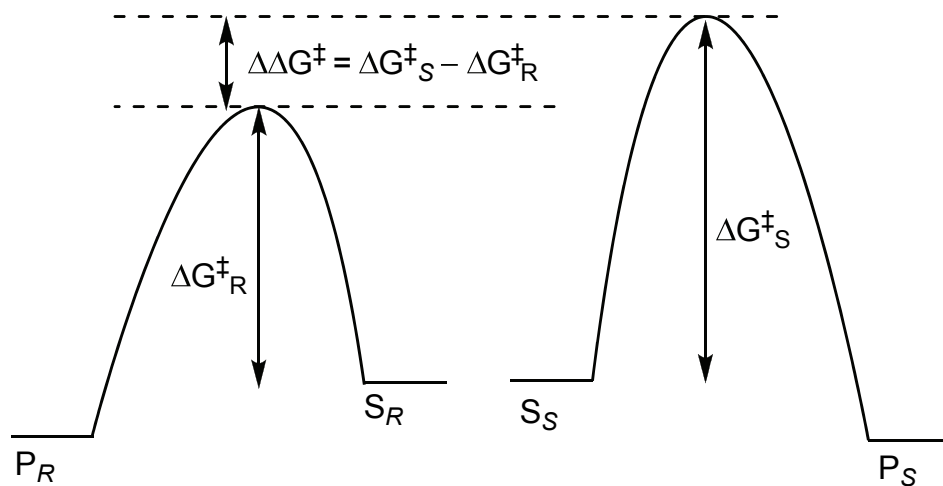
$$= k_R / k_S$$

$$= \exp(\Delta\Delta G^\ddagger/RT)$$

Why perform KR:

1. Racemate is cheap
2. No reasonable enantioselective approach
3. Classical resolution (stoichiometric) does not provide high ee

For $k_R > k_S$

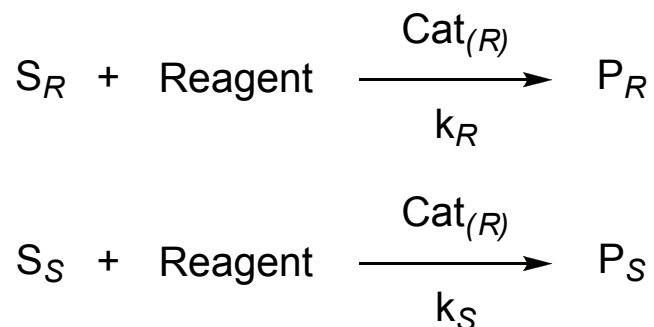


KR Consideration:

1. S and P are easily separated
2. High yield (~50%), high ee
3. Short reaction time
4. Scalability
5. Low cat. loading
6. Inexpensive cat.
7. Minimal waste
8. Reproducibility
9. Broad scope
10. Functional group compatibility

"selectivity-determining diastereomeric transition states"

The Basic of KR (2)



$$s = k_{\text{rel}} = \ln[(1 - C)(1 - ee) / \ln[(1 - C)(1 + ee)] \quad (1)$$

C = conversion

ee = ee of S

s can be measured experimentally by knowing C and ee

$$s = k_{\text{rel}} = \ln[1 - C(1 + ee')] / \ln[1 - C(1 - ee')] \quad (2)$$

ee' = ee of P

Combine (1) and (2): $ee / ee' = C / (1 - C)$

Realistically, s factor is often moderate. It is impossible to obtain both good yield and high ee at the same time with moderate s.

KR is useful if s is at least 10. However, the yield of S is sacrificed.

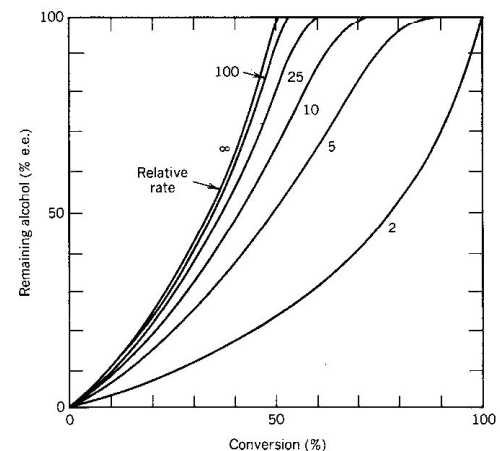


Figure 5. Dependence of e.e.% of recovered material on s factor (relative rate) and on conversion. Reprinted with permission from Martin et al., *J. Am. Chem. Soc.* 103, 6237-6240. Copyright 1981 American Chemical Society.

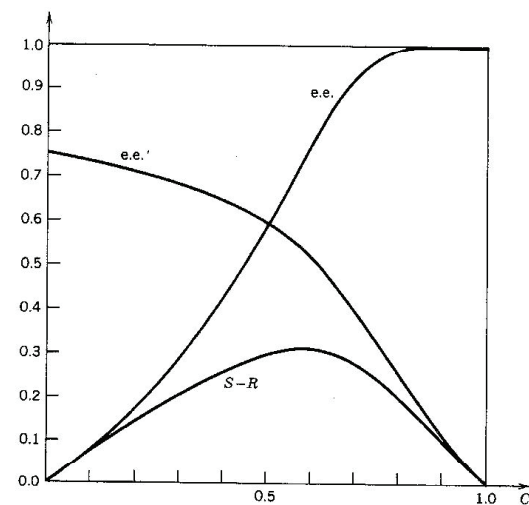


Figure 2. Pseudo-first-order kinetic resolution with conversion C as parameter. Computed curves for relative rate $s = 7$.

A Problem of Relative Rate

$$[S_S] - [S_R] = 0.5[\exp(-k_S t) - \exp(-k_R t)]$$

$$d[S_R]/dt = -k_R[S_R]$$

$$d[S_S]/dt = -k_S[S_S]$$

At time t_{\max} , $-d[S_R]/dt = -d[S_S]/dt$

$$\text{so } k_R[S_R] = k_S[S_S]$$

$$\text{since } k_R/k_S = s = [S_S]/[S_R]$$

then $ee = (s-1)/(s+1)$ at t_{\max} can be derived

S_S is consumed faster at $t > t_{\max}$

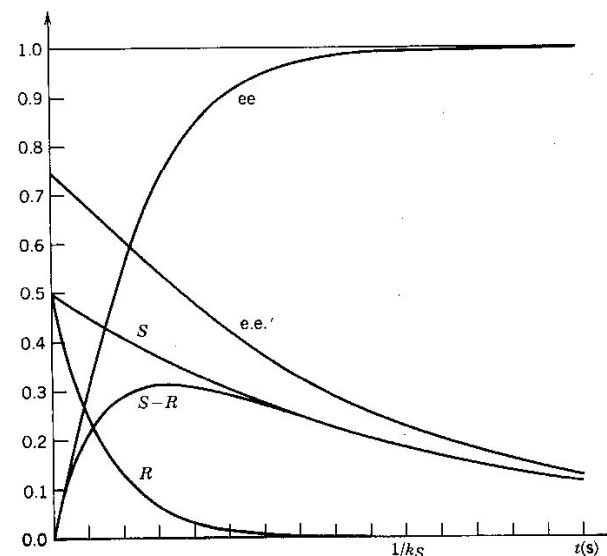


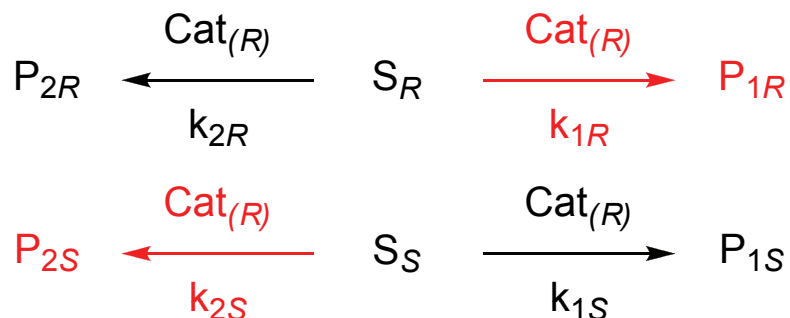
Figure 1. Pseudo-first-order kinetic resolution with time as parameter. Computed curves for relative rate $s=7$.

Smaller s factor means that the relative rate reaches 1 earlier. Consequently, conversion must go higher to consume S_R to leave S_S with satisfactory ee . Higher conversion also means lower yield for S_S .

The Basic of PKR

Solution:

Minimize built up of the less reactive substrate (S_S) by a simultaneous transformation of S_S .



Ideal situation:

$$\begin{array}{ll}
 k_{1R} = k_{2S} \gg k_{1S} = k_{2R} & P_{1R}/P_{2S} \text{ is constant during the course of resolution} \\
 [S_R]/[S_S] = 1 \quad ee = 0 & S_R/S_S \text{ is constant during the course of resolution}
 \end{array}$$

Example:

$$\begin{array}{llll}
 \text{If } s_1 = s_2 = 49 & P_{1R}:P_{1S} = 49:1 & ee(P_{1R}) = 96\% & ee = (49 - 1) / (49 + 1) \\
 & P_{2S}:P_{2R} = 49:1 & ee(P_{2S}) = 96\% &
 \end{array}$$

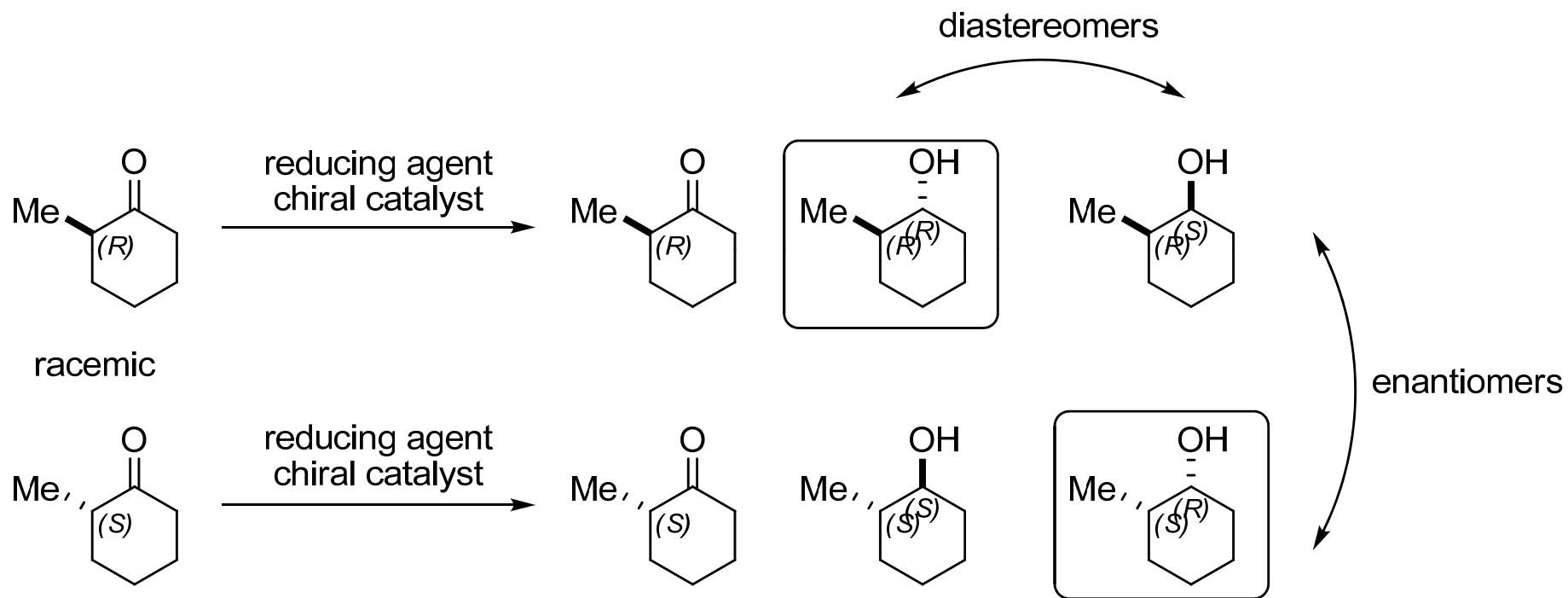
To achieve the same result in KR, s needs to be 200:

$$s = \ln[1 - C(1 + ee')] / \ln[1 - C(1 + ee')] \quad C = 0.5, ee = 96\%, s = 200$$

s (or k_{rel}) can be lower in PKR than in KR to achieve high ee

PKR Mathematical Treatment (1)

Consider the following hypothetical examples (stereodivergent):

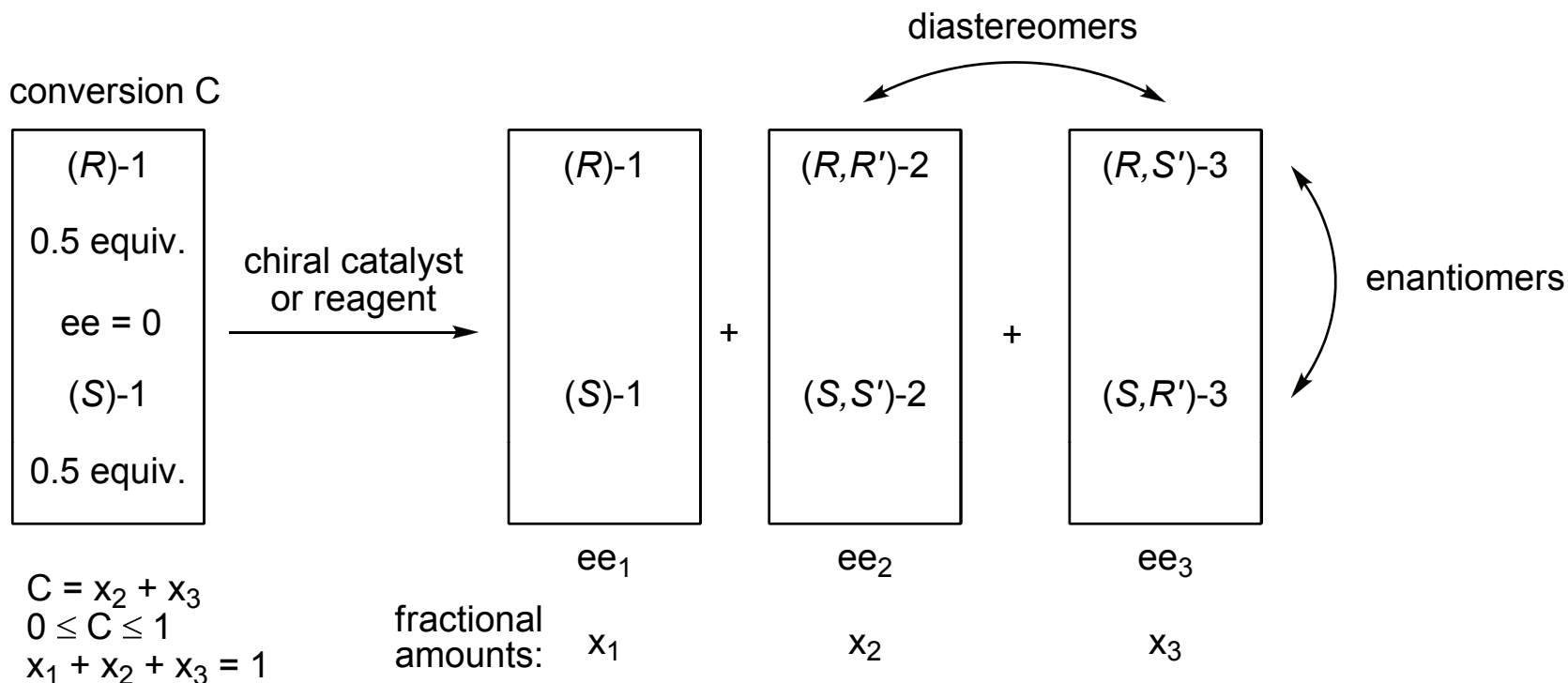


Assuming no racemization through the enolate/enol intermediates, no dynamic process, no side products.

Kagan, H. B. *Tetrahedron* **2001**, 57, 2449.

Kagan, H. B.; Fiaud, J. C. *Topics in Stereochemistry Vol.18*, Kinetic Resolution.

PKR Mathematical Treatment (2)



$$ee_1 x_1 + ee_2 x_2 + ee_3 x_3 = 0, \quad (1)$$

$$dr = x_2/x_3 = [C(ee_1 - ee_3) - ee_1]/[C(ee_2 - ee_1) + ee_1], \quad (2)$$

$$ee_1 = C[dr ee_2 + ee_3]/[(C - 1)(1 + dr)], \quad (3)$$

$$ee_2 = [(C - 1)(1 + 1/dr)ee_1]/C - ee_3/dr \quad (4)$$

$$ee_3 = [(C - 1)(1 + dr)ee_1]/C - dr ee_2. \quad (5)$$

$$a = [RR']/[RS'] = dr[(1 + ee_2)/(1 + ee_3)], \quad (6)$$

$$b = [SS']/[SR'] = dr[(1 + ee_2)/(1 + ee_3)]. \quad (7)$$

$$C = [(1 + dr)ee_1]/[dr(ee_1 - ee_2) + ee_1 - ee_3]. \quad (8)$$

Kagan, H. B. *Tetrahedron* **2001**, 57, 2449.

Kagan, H. B.; Fiaud, J. C. *Topics in Stereochemistry Vol.18*, Kinetic Resolution.

PKR Mathematical Treatment (3)

<Example 1>

Looking back at the ideal PKR:

Assume $C = 0.6$,

$ee_2 = ee_3 = 1$,

$x_2 = x_3 = 0.3$

$dr = 1$,

$$ee_1 = C[dr ee_2 + ee_3]/[(C - 1)(1 + dr)] \quad (3)$$

$$ee_1 = 0.6[1 \times 1 - 1]/[(0.6 - 1)(1 + 1)] = 0$$

<Example 2>

$x_2 = 0.29, x_3 = 0.31$

Assume $C = 0.6$

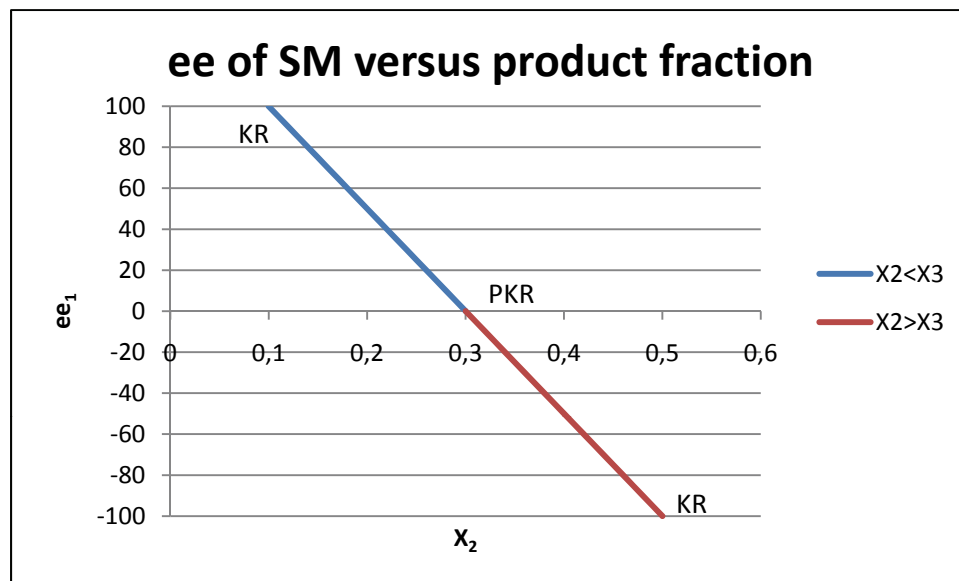
$ee_2 = ee_3 = 1$,

then ee_1 should be close to 0, but not 0

$dr = 0.29/0.31 = 0.93548$

$ee_1 = 0.05$ (5% ee)

At complete conversion, $C = 1$
ee and yield are inversely related



$$ee_1 x_1 + ee_2 x_2 + ee_3 x_3 = 0 \quad (1)$$

when $C = 1, x_1 = 0$,

$$\text{then } -ee_2(x_2) = ee_3(x_3)$$

Remember to make either ee_2 or ee_3 -ve in the calculation to satisfy equation (1)

e.g.

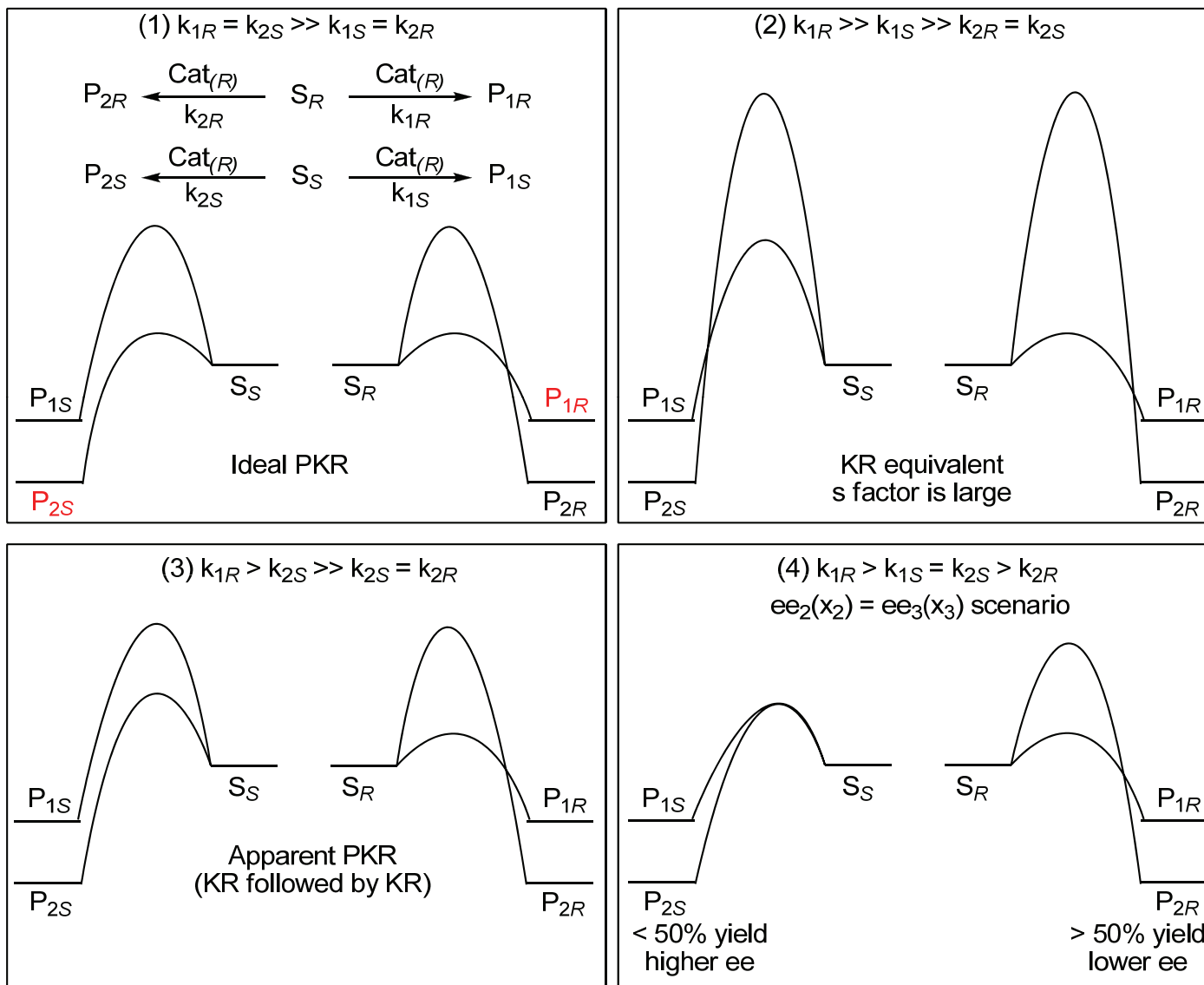
+ve sign indicates products are derived from (R)-1

-ve sign indicates products are derived from (S)-1

Kagan, H. B. *Tetrahedron* **2001**, 57, 2449.

Kagan, H. B.; Fiaud, J. C. *Topics in Stereochemistry Vol.18*, Kinetic Resolution.

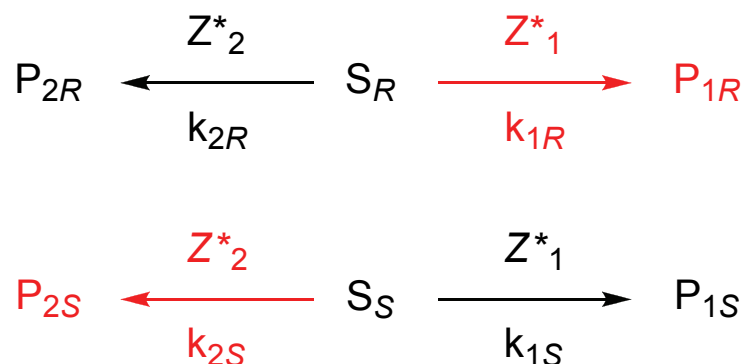
Relative Energy Considerations



A relative energy diagram can be drawn from yields and enantioselectivities (assuming no other side products or their origins are known).

Proof of Principle using Quasienantiomeric Electrophiles

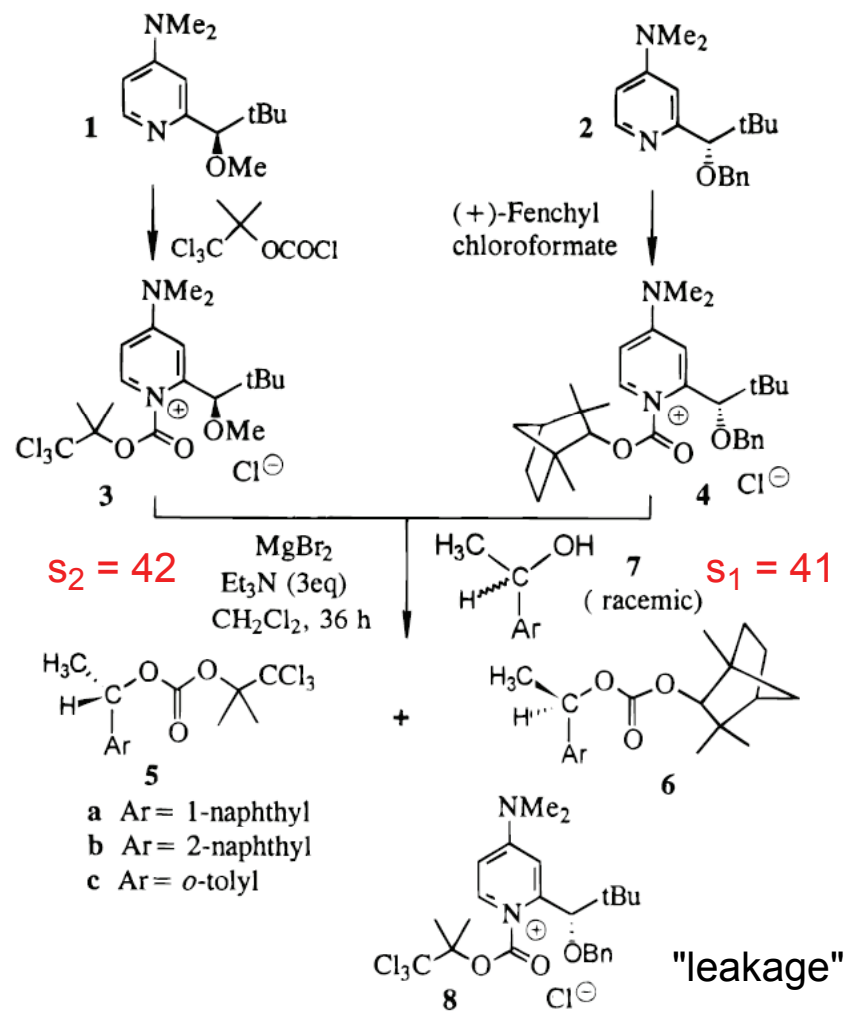
Z^* = stoichiometric chiral reagents (quasienantiomers)



P_{1R} and P_{2S} are quasienantiomers

Basic criteria for a successful PKR:

1. Minimal mutual interference wrt catalyst or reagents
2. Have similar rates
3. Have opposite enantiocontrol wrt S_R and S_S
4. P_{1R} and P_{2S} are easily separated



Proof of Principle

Table 1. PKR Experiments Using **3** and **4** to Resolve **7^a**

entry	Ar	5:6^b	yield (5)	ee (5) ^d	yield (6)	ee (6) ^d
1	1-naphthyl	1.0:1.0	46% (49%) ^c	88%	49% (49%) ^c	95%
2	2-naphthyl	1.0:1.0	49% (49%) ^c	86%	43% (49%) ^c	93%
3	<i>o</i> -tolyl	1.13:1.0	46% (53%) ^c	83%	46% (47%) ^c	94%

^a 0.56 mol equiv each of **3** and **4**, 2.25 mol equiv of MgBr₂, 3 mol equiv of Et₃N, 1 mol equiv of racemic ArCH(OH)CH₃ in CH₂Cl₂ at room temperature, 36 h. ^b NMR ratio of crude products. ^c Yield vs internal standard, NMR assay. ^d hplc assay; see Supporting Information.

What is the *s* factor required to achieve the same yield and selectivity in KR?

<Example>

entry 1, compound 6:

49% yield

95% ee

$$s = \ln[1 - C(1 + ee')] / \ln[1 - C(1 - ee')] \\ = \ln[1 - 0.49(1 + 0.95)] / \ln[1 - 0.49(1 - 0.95)]$$

$$s = 125$$

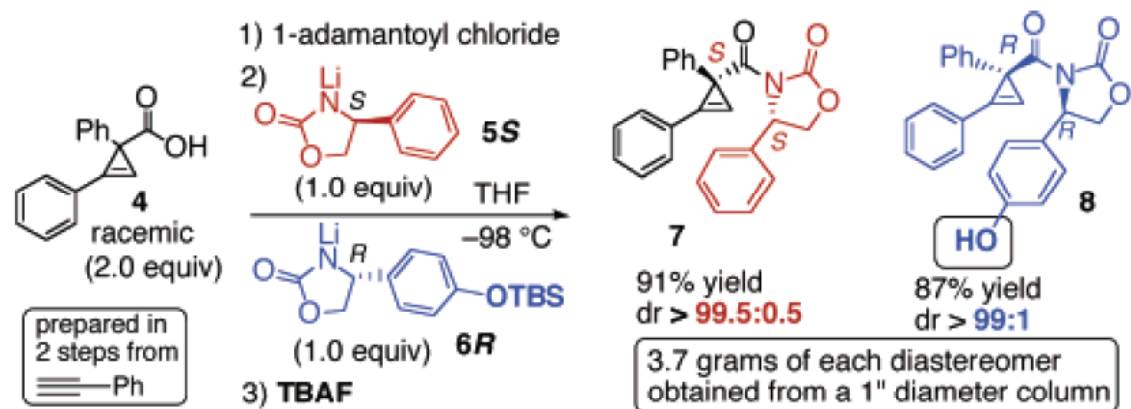
A higher *s* factor is required to achieve the same results in KR.

Can you achieve an effective PKR if k_{1R} is different to k_{1S} ?

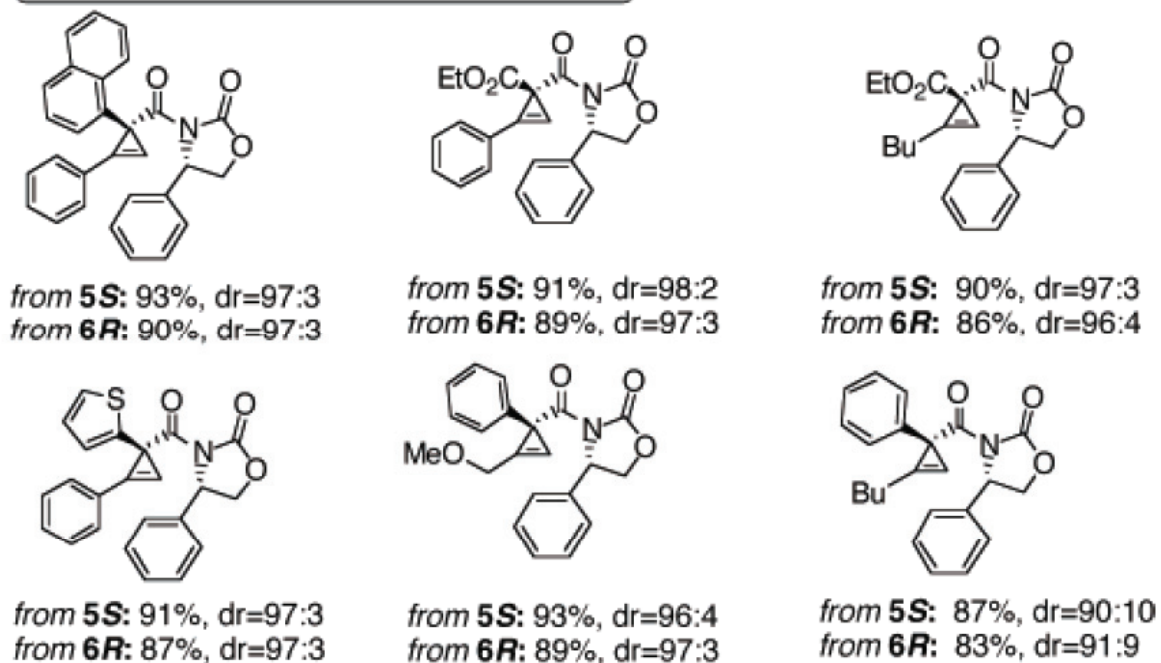
In principle, it should be possible to adjust the relative concentration of $[Z_1^*]$ and $[Z_2^*]$ to make up the difference between k_{1R} and k_{1S} , i.e. to achieve the same rate of consumption (Not experimentally proven yet).

PKR using Quasienantiomeric Nucleophiles

Table 1. One-Pot Parallel Kinetic Resolution of Cyclopropenes



Note: products from **6R** are not shown below

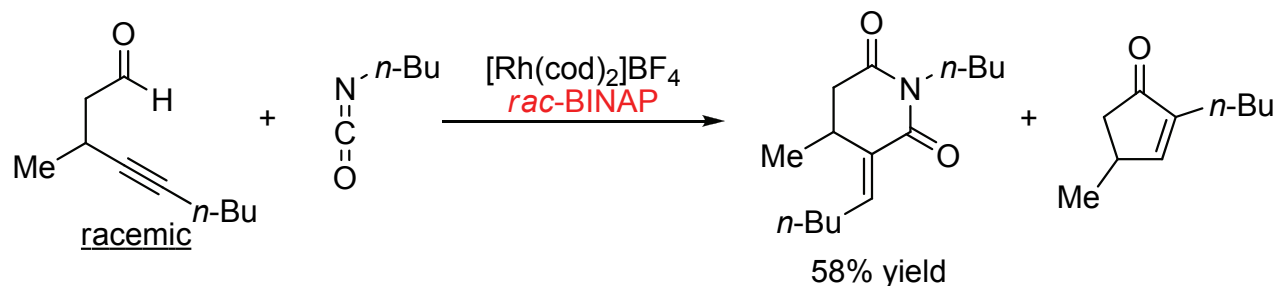


How to Spot a Potential PKR

Ligand survey

<Expt 1>

Using a racemic ligand:



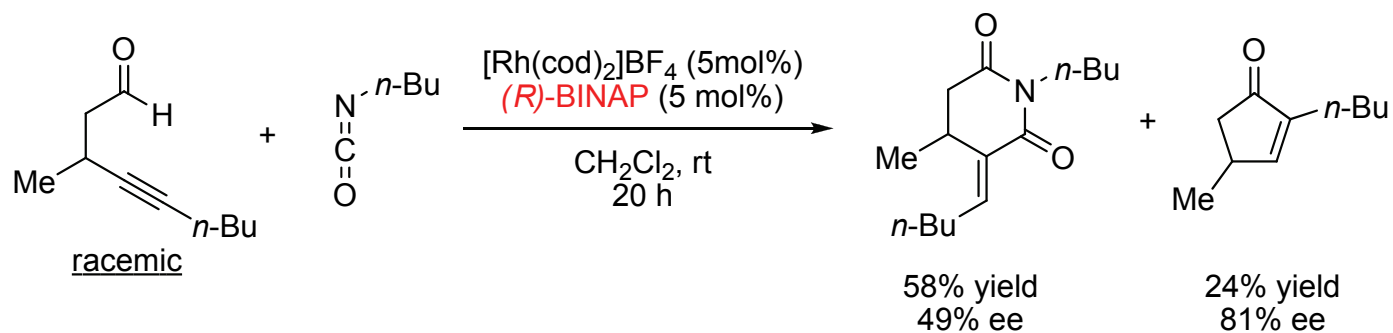
Result: poor yield

Action: bad reaction, bad ligand, discard this reaction --> no publication :-)

A better action: identify the side product

<Expt 2>

Subject the enantiopure ligand to the reaction



"Serendipity" discovery of PKR

<Expt 3> Confirm PKR by using enantioenriched SM

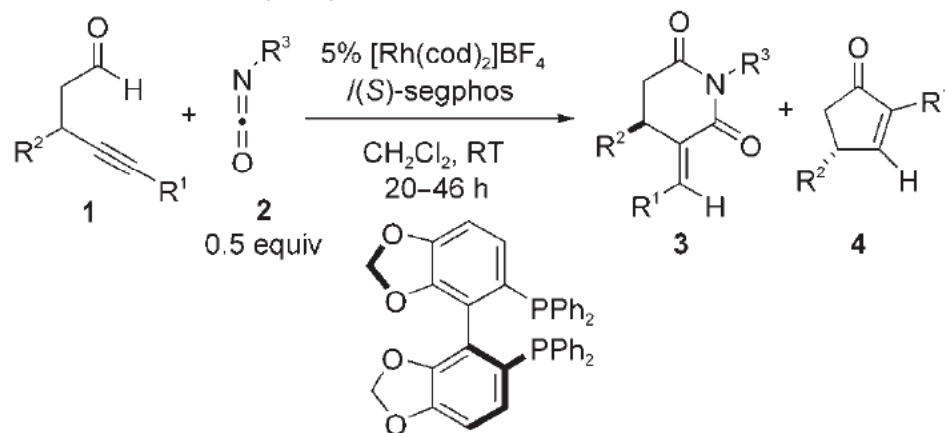
Expect the formation of one product (out of the two possibilities)

<Expt 4...> Screen more enantiopure ligands, reaction optimization...

Publication in JACS or ACIEE :-) (happy graduate student)

Chemodivergent PKR (1)

Table 2: Rhodium-catalyzed parallel kinetic resolution of 3-substituted 4-alkynals to yield enantioenriched 2-alkylideneglutarimides and cyclopentenones.^[a]

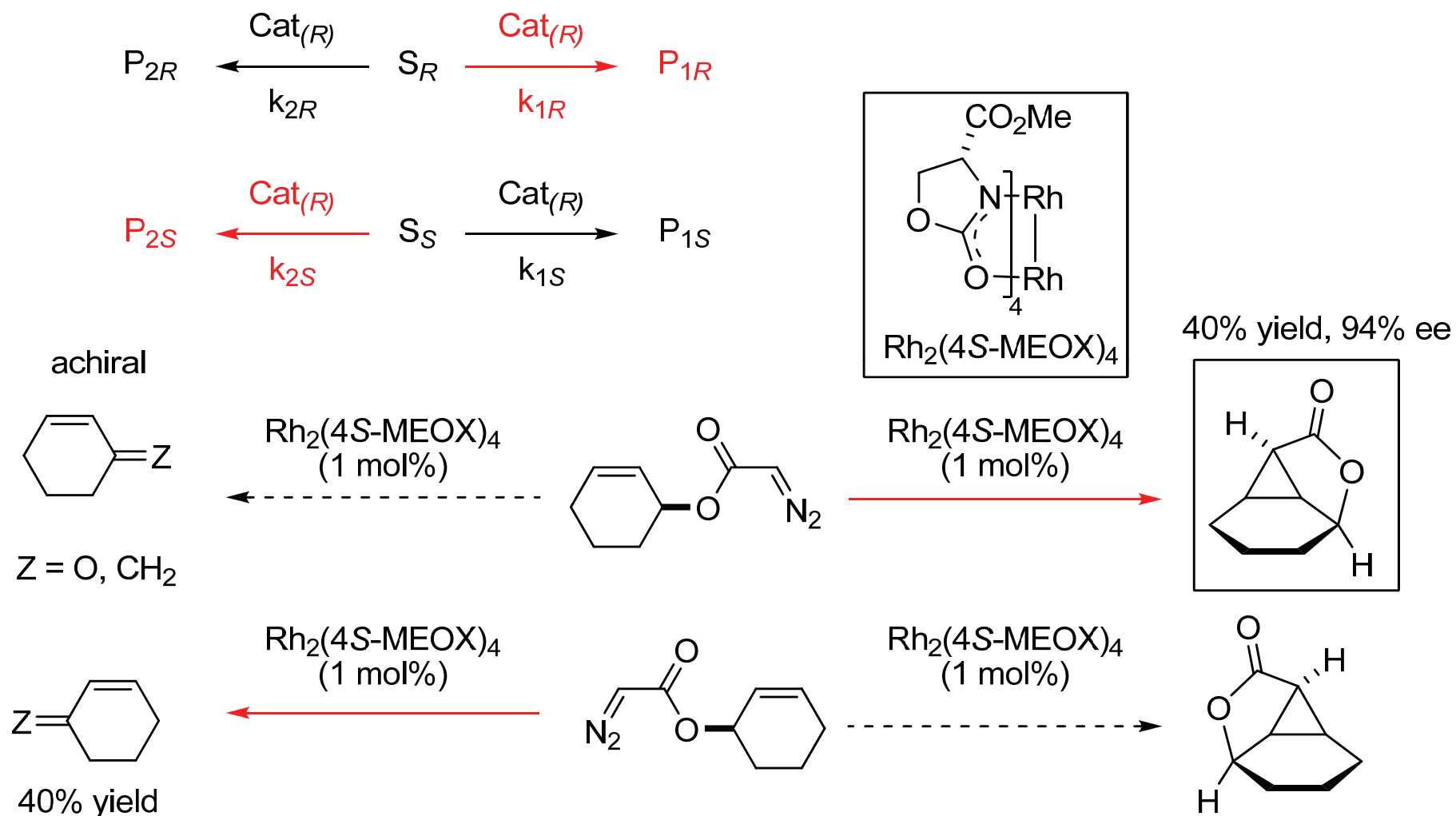


Entry	1	R ¹	R ²	2	R ³	3		4	
						Yield [%] ^[b]	ee [%] ^[c]	Yield [%] ^[b]	ee [%] ^[c]
1	1h	nBu	nBu	2a	nBu	34	91	28	92
2	1h	nBu	nBu	2b	Cy	30	81	38	94
3	1h	nBu	nBu	2c	Bn	36	88	26	91
4	1h	nBu	nBu	2d	Ph	20	52	38	94
5	1a	nBu	Me	2a	nBu	38	87	39	83
6 ^[d]	1i	nBu	Ph	2a	nBu	22	97	36	78
7 ^[d]	1c	Cy	Me	2a	nBu	33	64	30	98
8	1e	1-cyclohexenyl	Me	2a	nBu	49	56	26	85
9 ^[d]	1f	Ph	Me	2a	nBu	35	72	31	76

[a] Reactions were carried out with **1** (0.40 mmol), **2** (0.20 mmol), [Rh(cod)₂]BF₄ (0.020 mmol), (*S*)-segphos (0.020 mmol), and CH₂Cl₂ (2.0 mL). [b] Yields of the isolated products. [c] The *ee* values were determined by chiral HPLC or GC analysis. [d] Catalyst = 10 mol %.

Tanaka et. al. *ACIEE* **2006**, *45*, 2734.

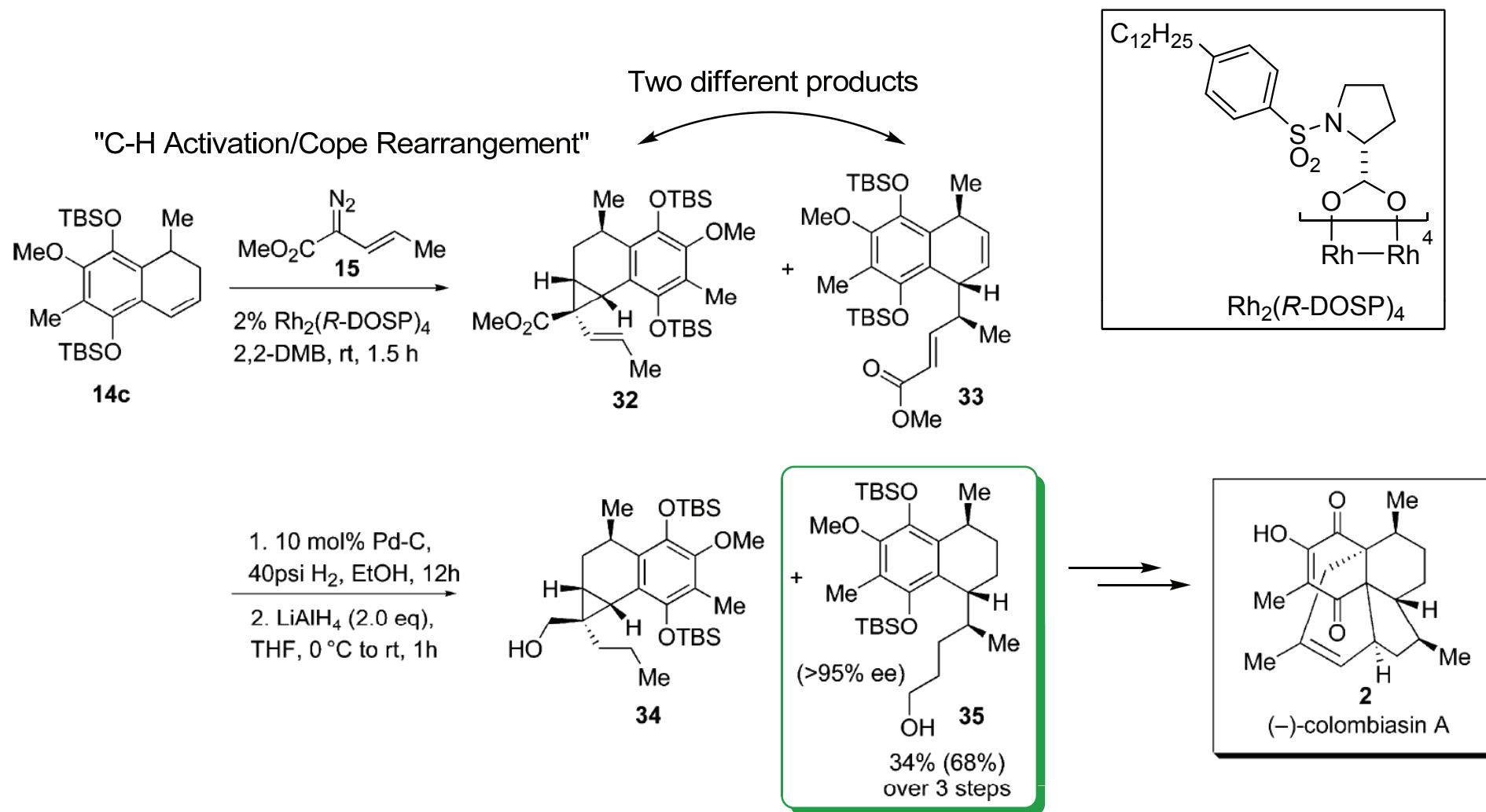
Chemodivergent PKR (2)



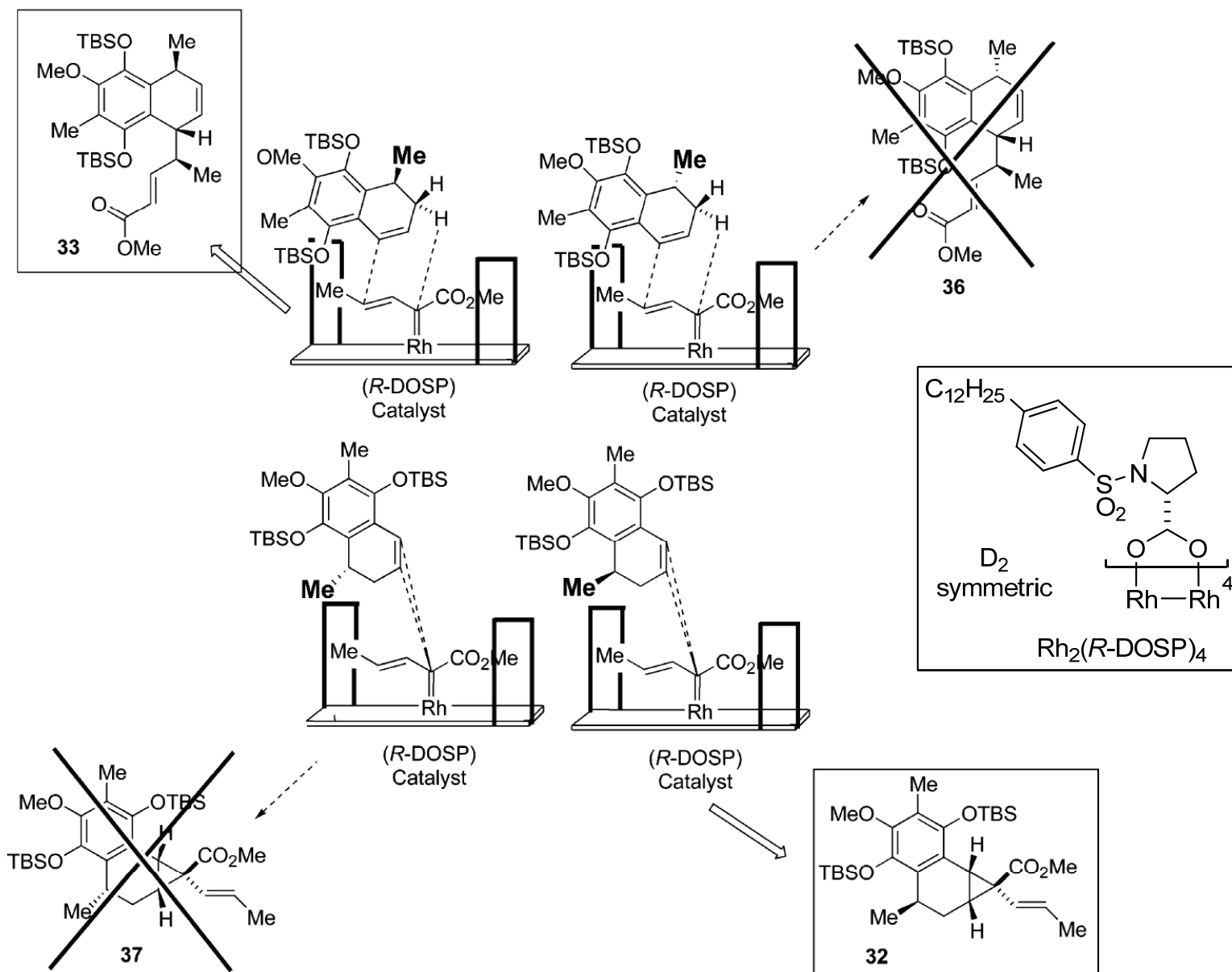
The same reaction was performed with Rh₂(4R-MEOX)₄ to confirm PKR.

One of the resulting products does not need to be chiral to be a PKR.

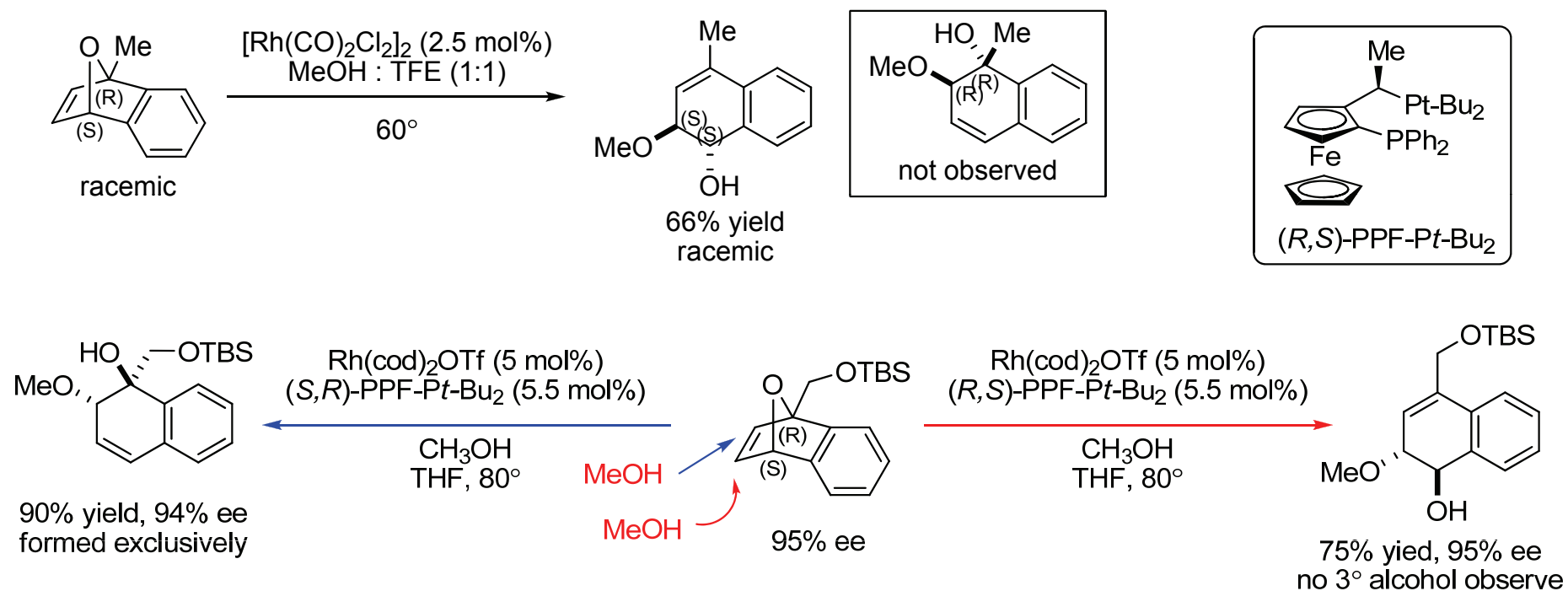
Application of Chemodivergent PKR in Synthesis



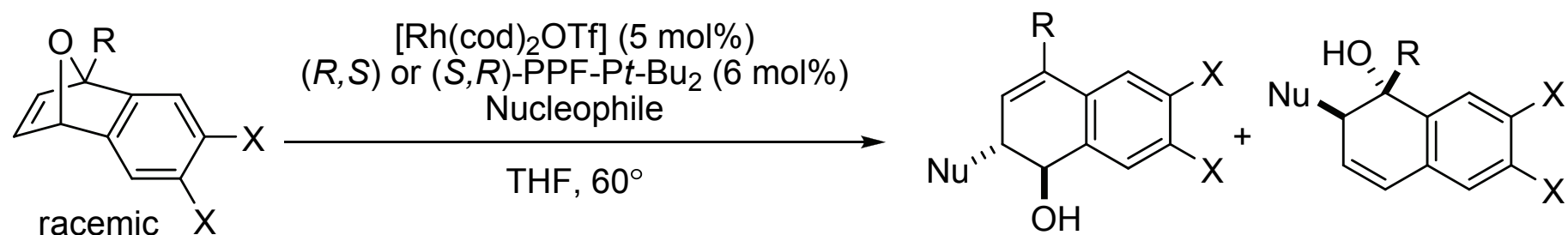
Model/Rational Behind the Divergent Reactivities





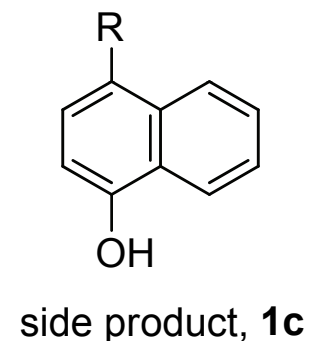
Regiodivergent PKR (1) Group Question Coming Up...



Regiodivergent PKR (1), Group Question



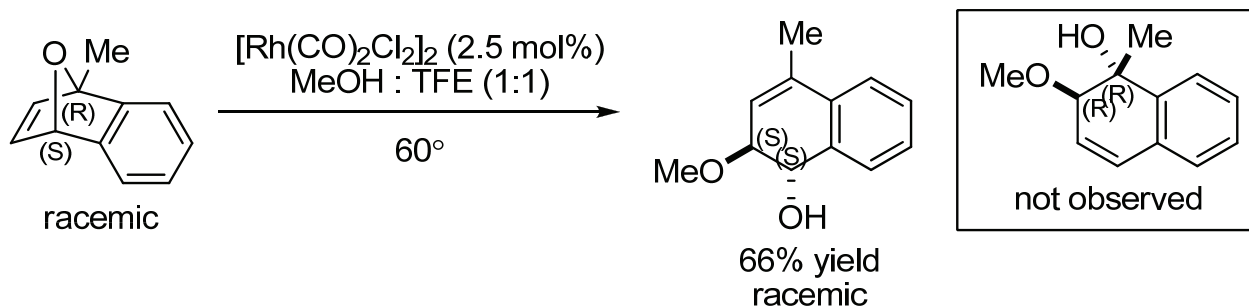
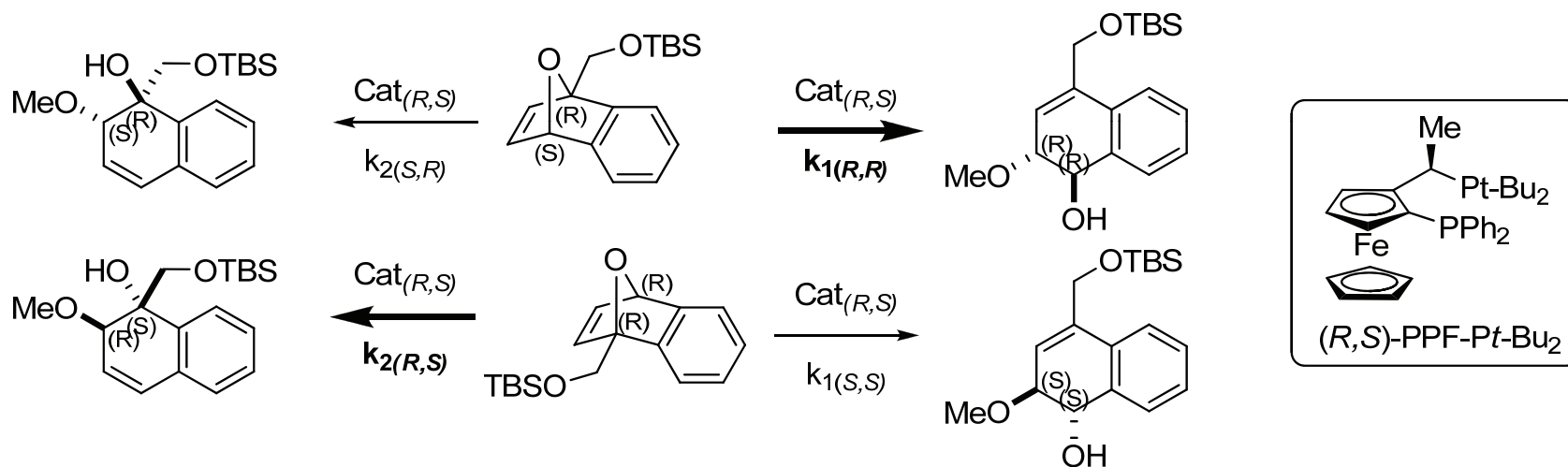
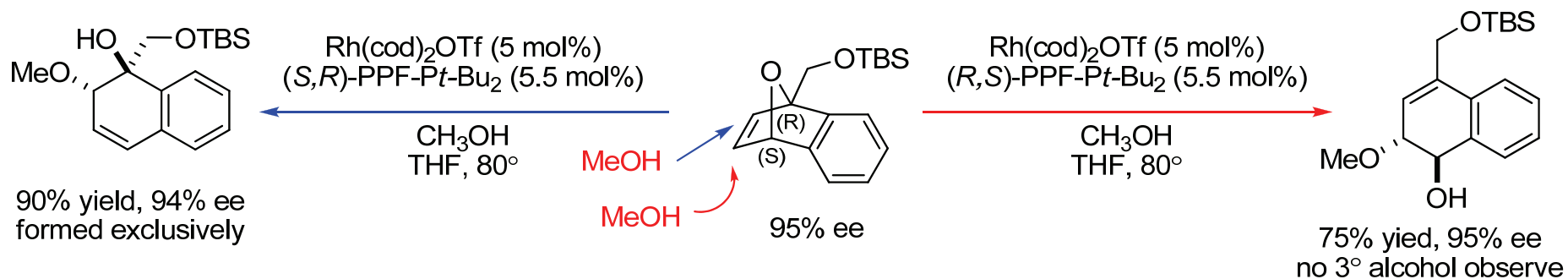
entry	R	X	nucleophile	product A		product B	
				yield (%)	ee ^d (%)	yield (%)	ee ^d (%)
1 ^b	CH ₃	H	CH ₃ OH	(50) ^a	-	42	90
2 ^b	CH ₃	H	Bn ₂ NH	29	86	32	>99
3 ^b	CH ₃	H	Et ₂ NH	48	79 ^e	35	>99
4 ^b	CH ₃	H	PhNHCH ₃	43	80	35	99
5 ^c	CH ₃	H		50	75	39	>99
6 ^c	CH ₃	Br	Bn ₂ NH	50	83	30	99
7 ^c	CH ₃	F	Bn ₂ NH	50	90	45	>99
8 ^{c,f}	CH ₃	F		50	90	48	>99



^a Aromatized naphthol product **1c** was isolated.

1. Find a general trend in yield and ee between the two products in the table.
2. Provide a rational for this trend.
3. Propose a energy diagram to correlate with your hypothesis in 2.

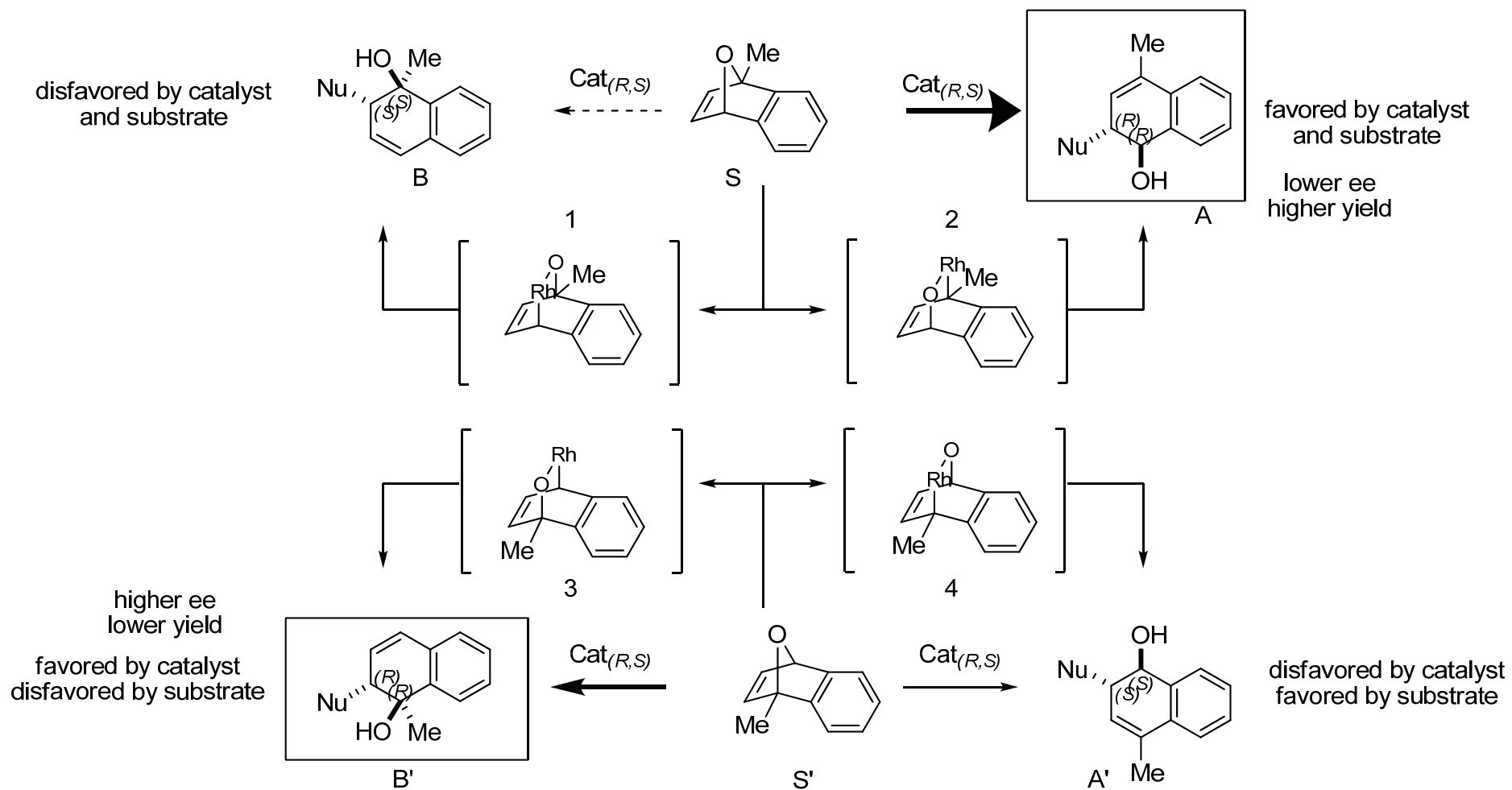
Group Question Answers



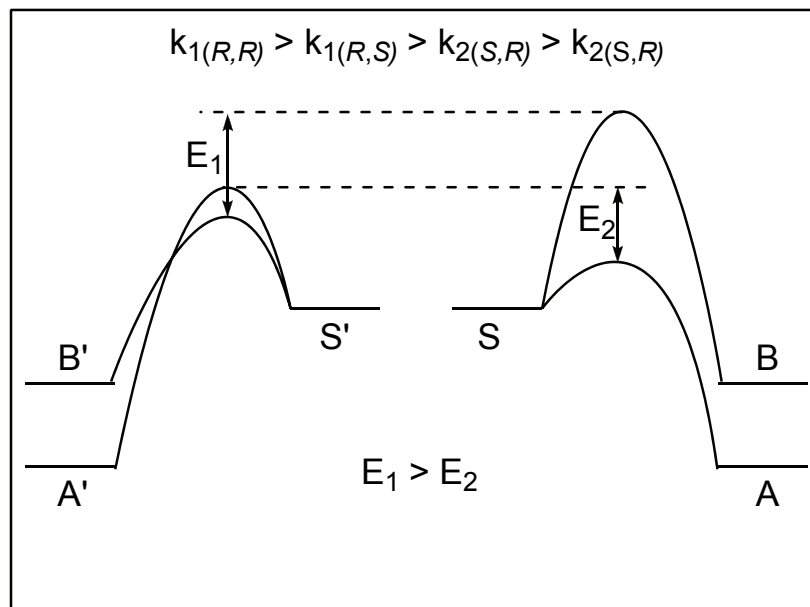
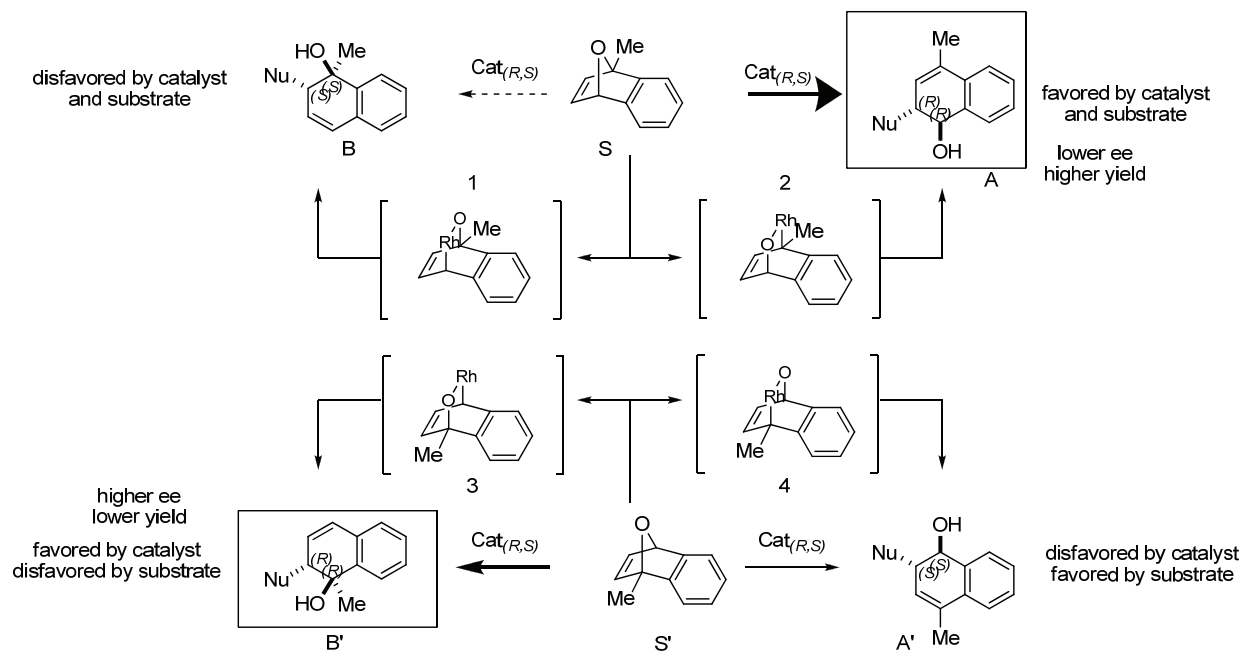
Catalyst control overrides the inherent preference of the substrate.

Webster, R.; Böing, C.; Lautens, M.
J. Am. Chem. Soc. **2009**, *131*, 444.

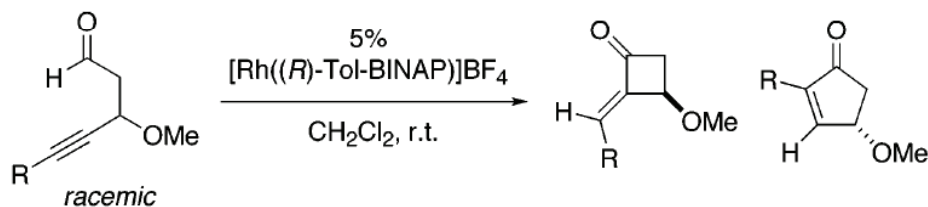
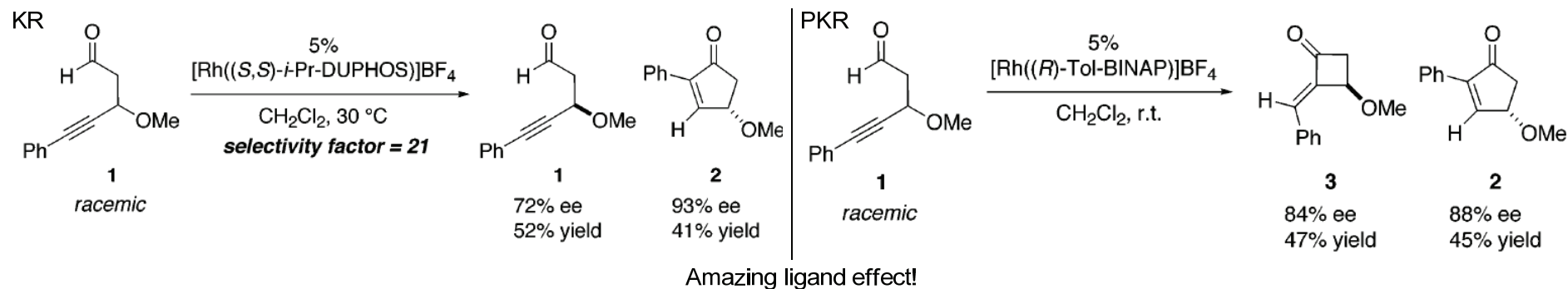
Group Question Answers, Cont.



Group Question Answers, Cont.



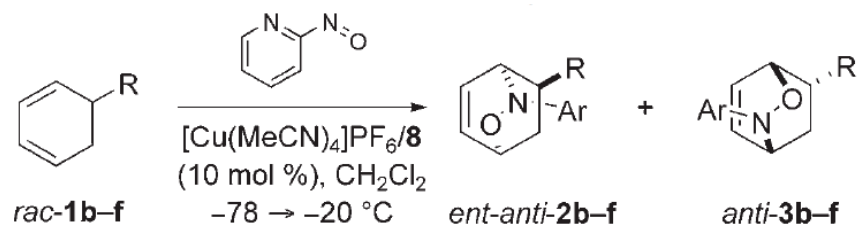
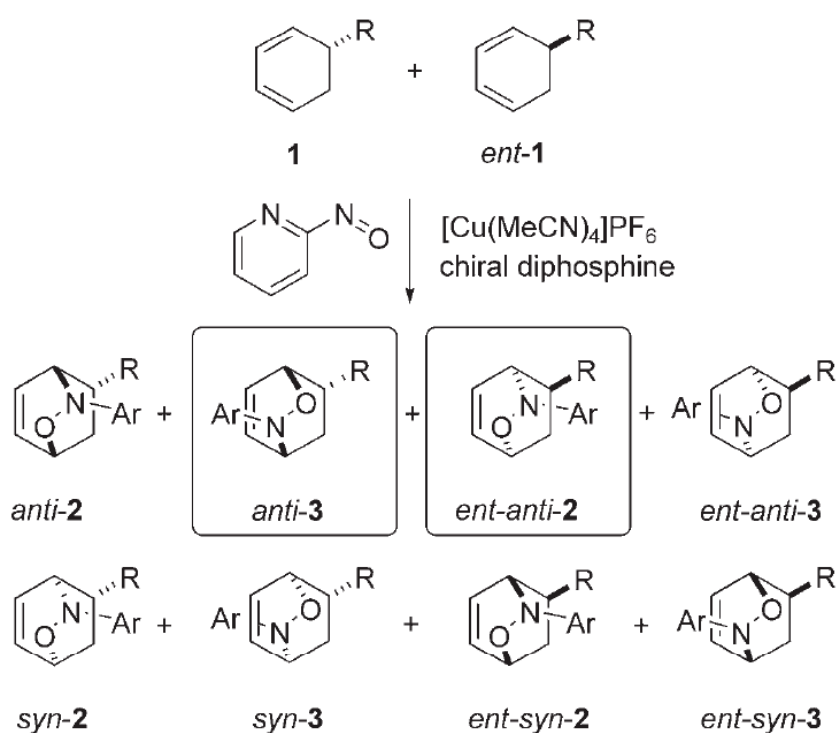
Regiodivergent PKR (2)



entry	R	cyclobutanone		cyclopentenone	
		ee (%)	yield (%)	ee (%)	yield (%)
1	Ph	84	47	88	45
2	4-MeO(C ₆ H ₄)	81	43 ^a	81	36 ^a
3 ^b	4-CF ₃ (C ₆ H ₄)	> 99	32	62	58
4 ^b	<i>o</i> -tol	> 99	27	85	41
5	2-furyl	98	26	46	66
6	Cy	> 99	25	84	41

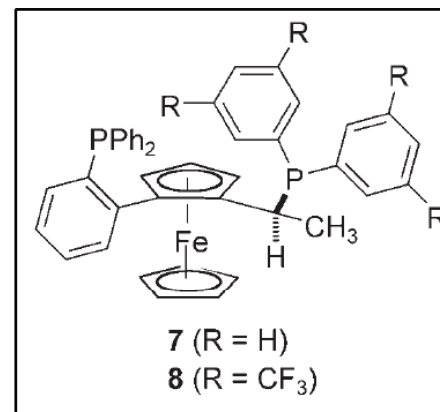
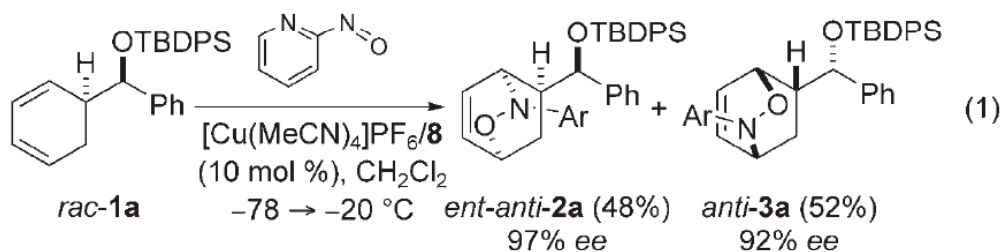
All yields are isolated yields. ^a Isolated as a mixture of cyclobutanone and cyclopentenone (the yields are distributed according to the ¹H NMR spectrum). ^b The reaction was carried out at 40 °C.

Regiodivergent PKR (3)



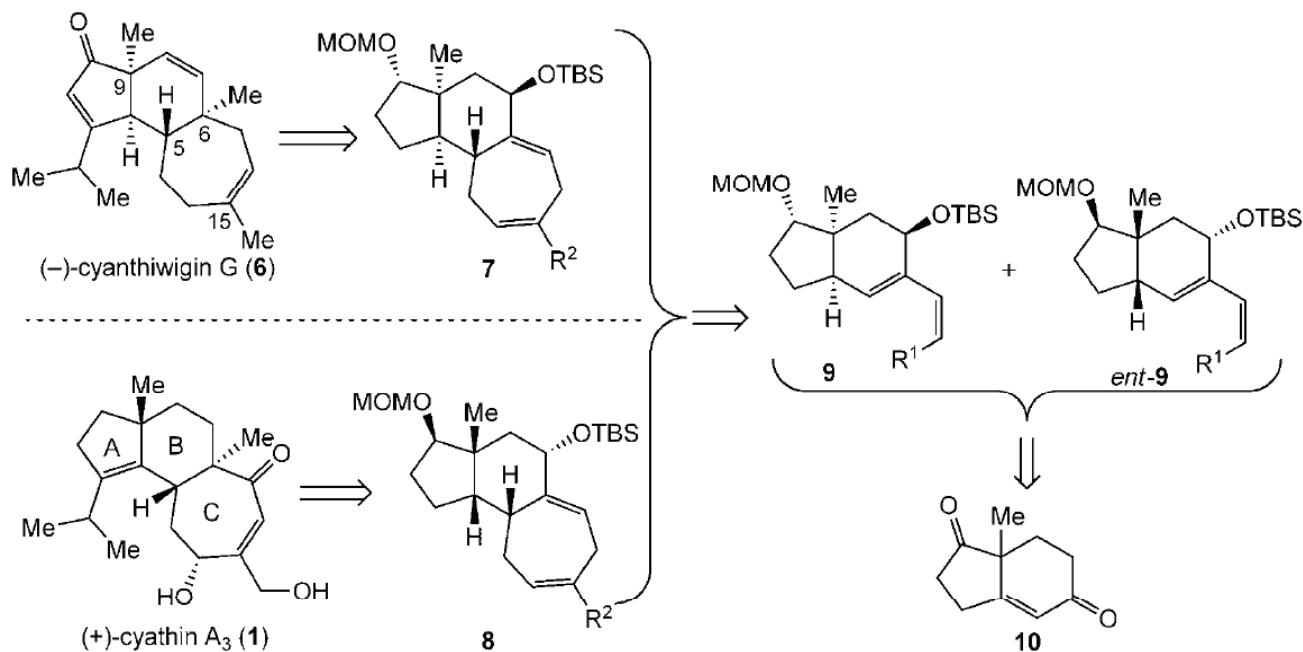
Diene	R	<i>ent-anti</i> - 2		<i>anti</i> - 3	
		Yield [%]	ee [%]	Yield [%]	ee [%]
1b	CMe ₂ OTMS ^[e]	48	95	52	89
1c ^[a]	CH ₂ OTBDPS	42	99	45	88
1d ^[b]	CH ₂ Ph	40	98	43	84
1e ^[c]	CH ₂ OAc	39	98	42	82
1f ^[d]	Ph	45	98	54	94

[a] One of the *syn* isomers, **2c** or **3c**, was formed in 13% yield. [b] The *syn* isomers **2d** and **3d** were formed in 17% combined yield. [c] The *syn* isomers **2e** and **3e** were formed in 19% combined yield. [d] The *syn* isomers were formed in trace amounts (< 1%). [e] TMS = trimethylsilyl.

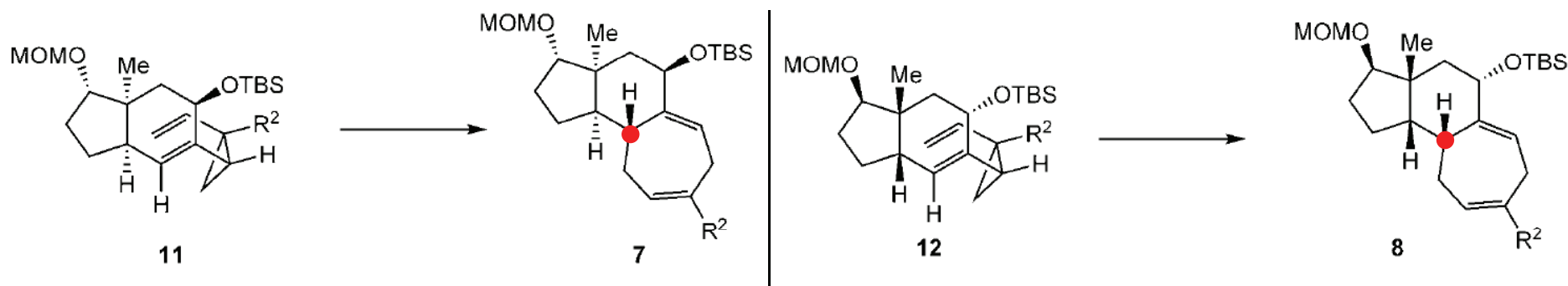


Stereodivergent PKR in Total Synthesis

Vision:

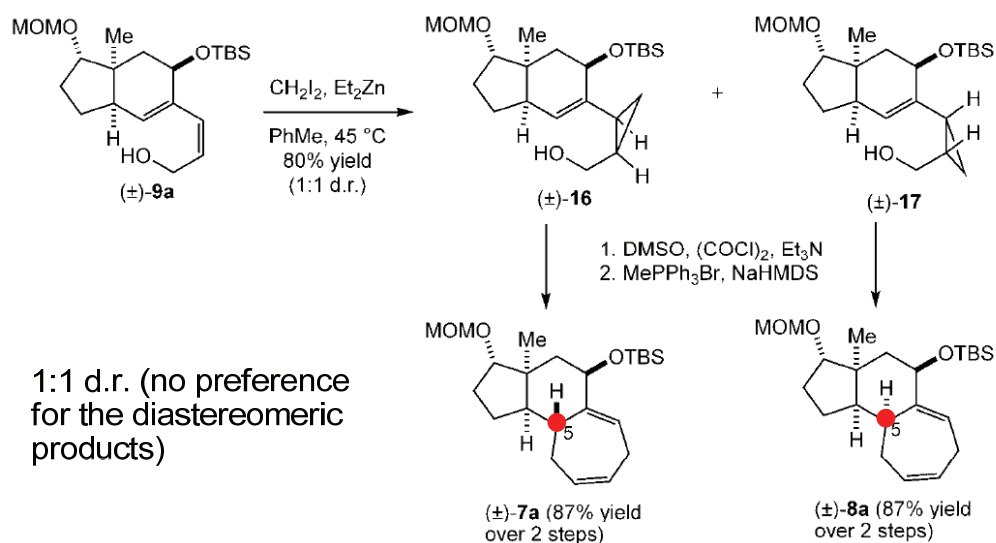


7 and 8 are diastereomers



Strategy: Cyclopropanation/Cope Rearrangement

Stereodivergent PKR in Total Synthesis



1:1 d.r. (no preference for the diastereomeric products)

facial selectivity is not perfect

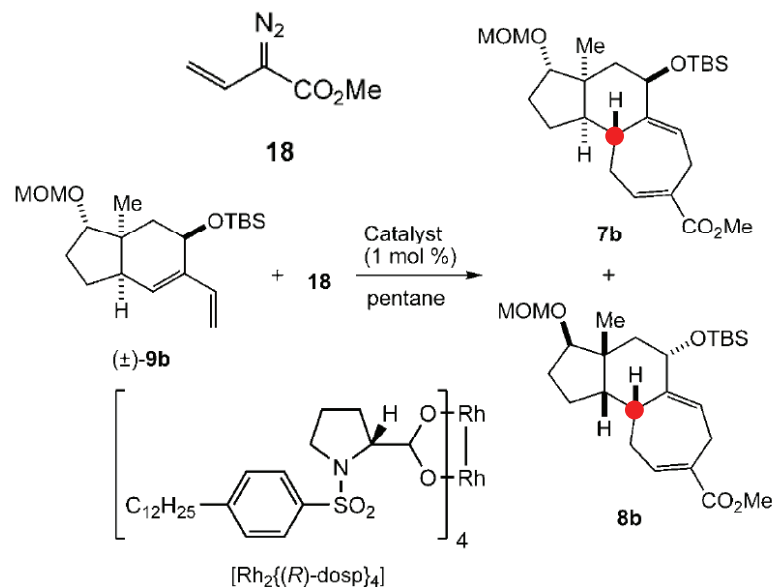
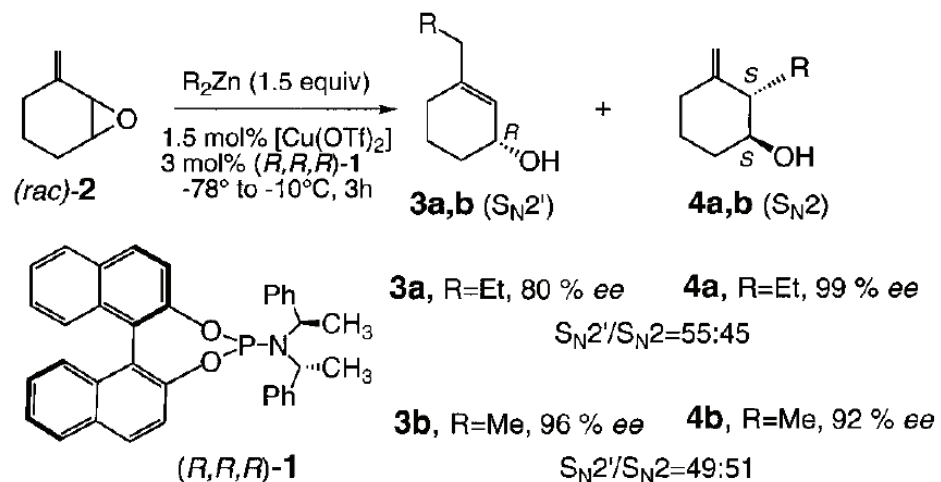


Table 1: Rh^{II} -catalyzed PKR of diene (±)-**9b**.

Entry	Catalyst	Ratio ^[a] 7b/8b	e.r. ^[b] (-)-7b/(+)-7b	e.r. ^[b] (+)-8b/(-)-8b
1 ^[d]	$[\text{Rh}_2(\text{OOct})_4]$	1:1	–	–
2	$[\text{Rh}_2\{(R)\text{-dosp}\}_4]$	1:1	12:88	88:12
3	$[\text{Rh}_2\{(S)\text{-dosp}\}_4]$	1:1	89:11	15:85

[a] Determined by ^1H NMR spectroscopy. [b] Determined on samples of **19** and **20** by HPLC on a Chiralcel OD-H column; eluent: 2.0% 2-propanol in hexanes. [c] On multiple runs there was no enrichment within error ($\pm 1.5\%$). Oct = octonate.

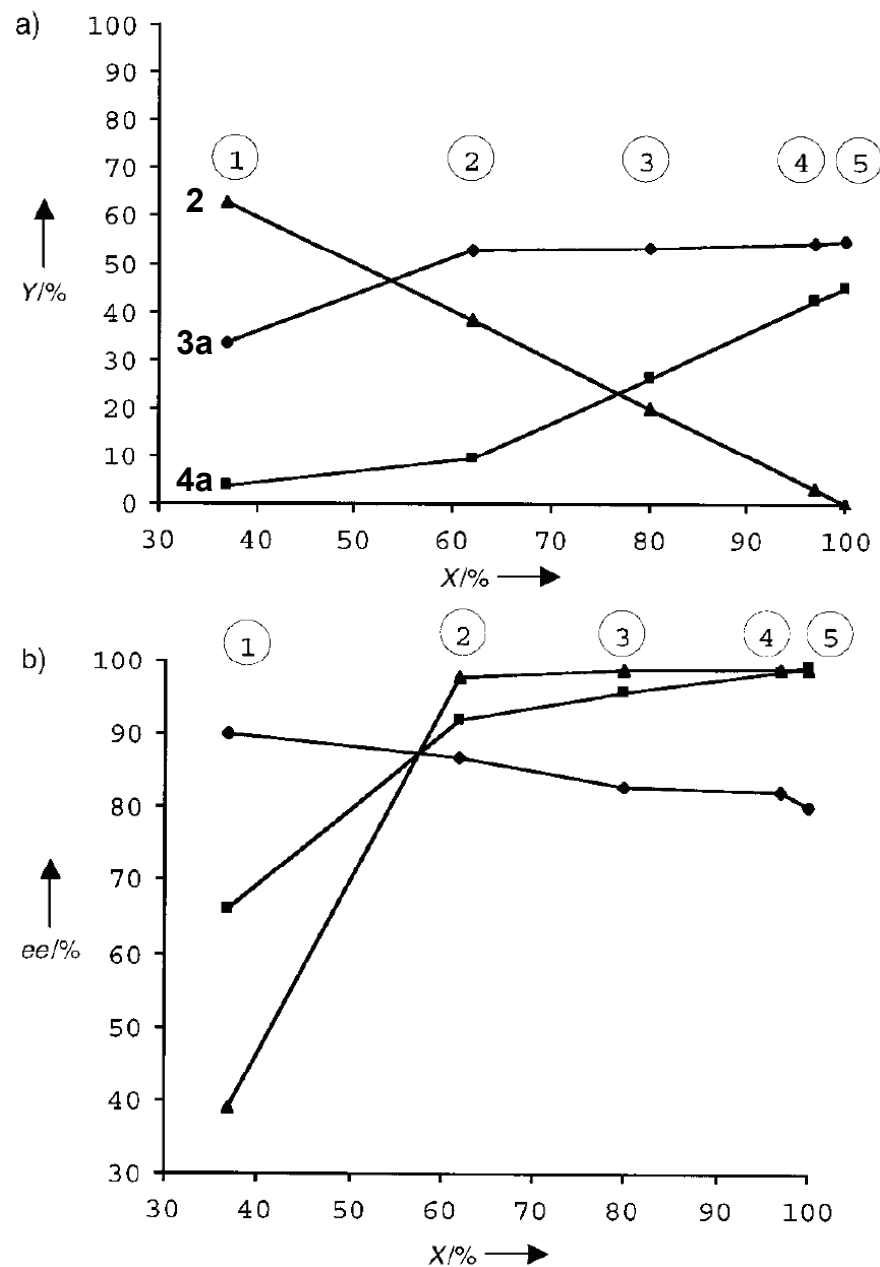
Apparent PKR



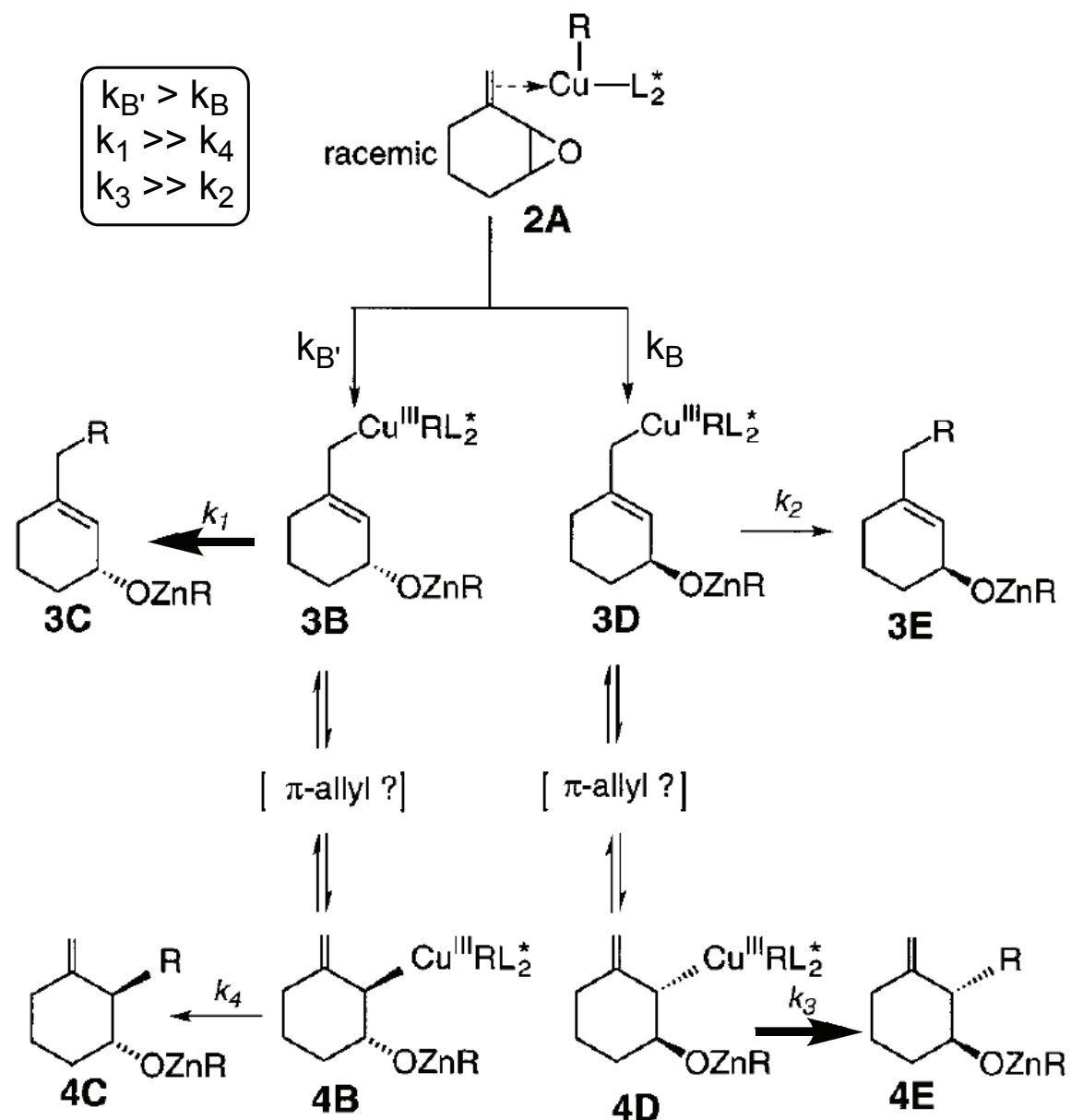
	1	2	3	4	5
<i>t</i> [min]	3	15	120	150	180
<i>T</i> [°C]	-78	-78	-55	-35	-10

Figure 1. GC yield *Y* [%] (a) and enantiomeric excesses [%] (b) of compounds **2** (-▲-), **3a** (-◆-), **4a** (-■-) present in the reaction mixture at different conversions *X* of **2**. Values determined by GC using a β -cyclodextrin column (see Supporting Information).

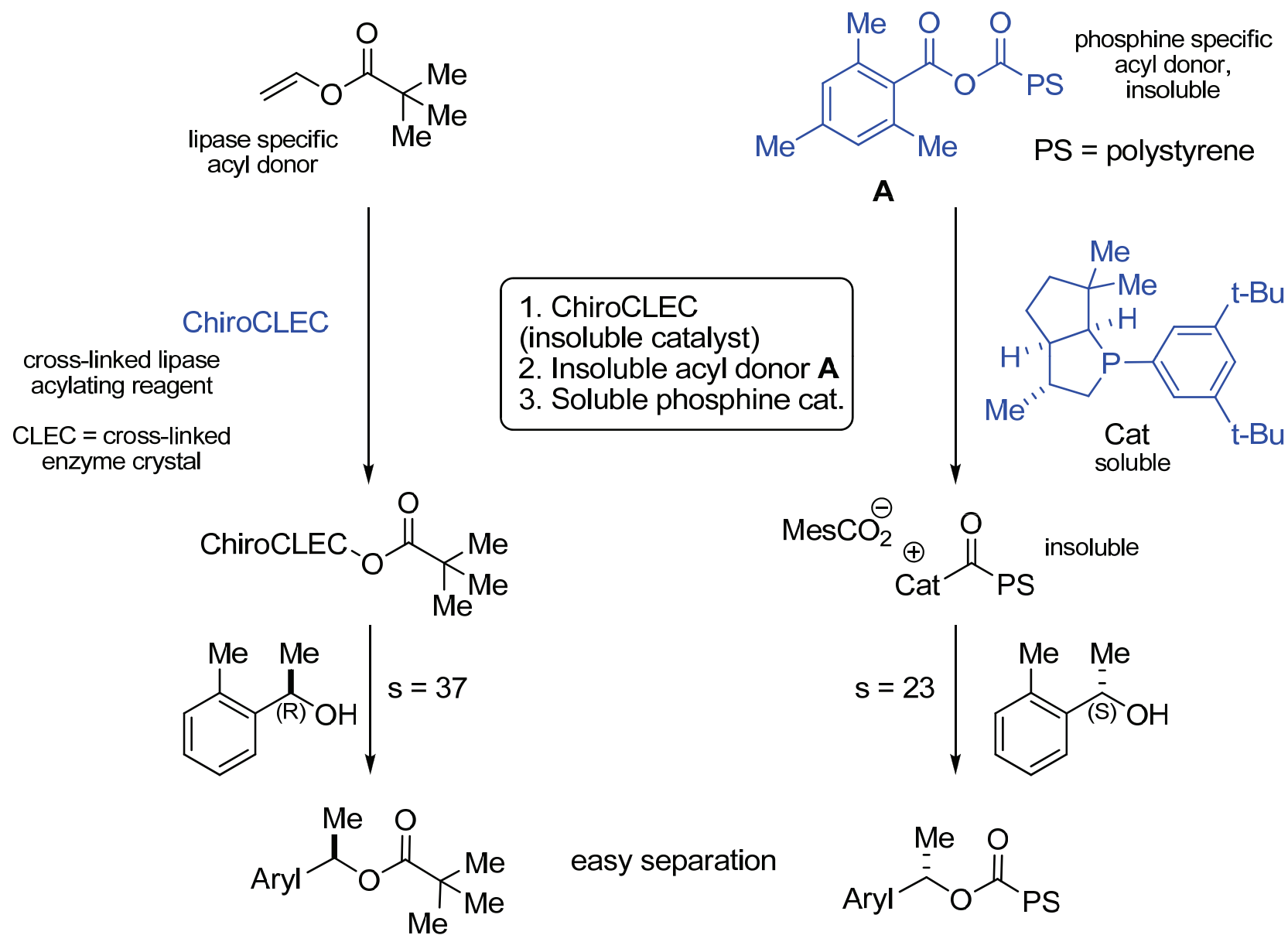
Using *rac*-1 gave $S_{N2'}:S_{N2} = 98:2$



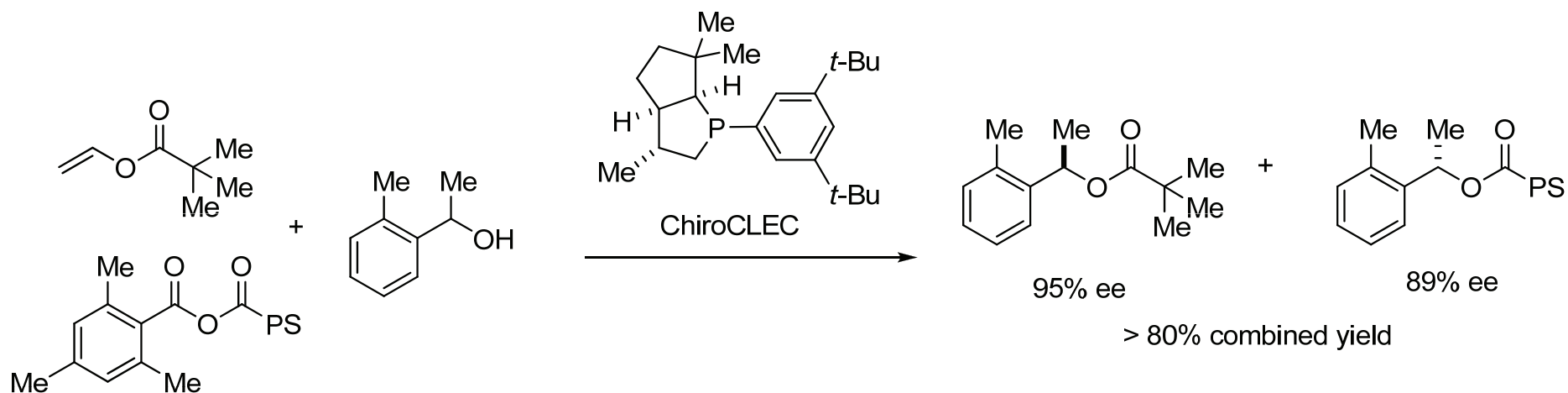
A Hypothesis for Apparent PKR



Using Two Catalysts in a Three-Phase System



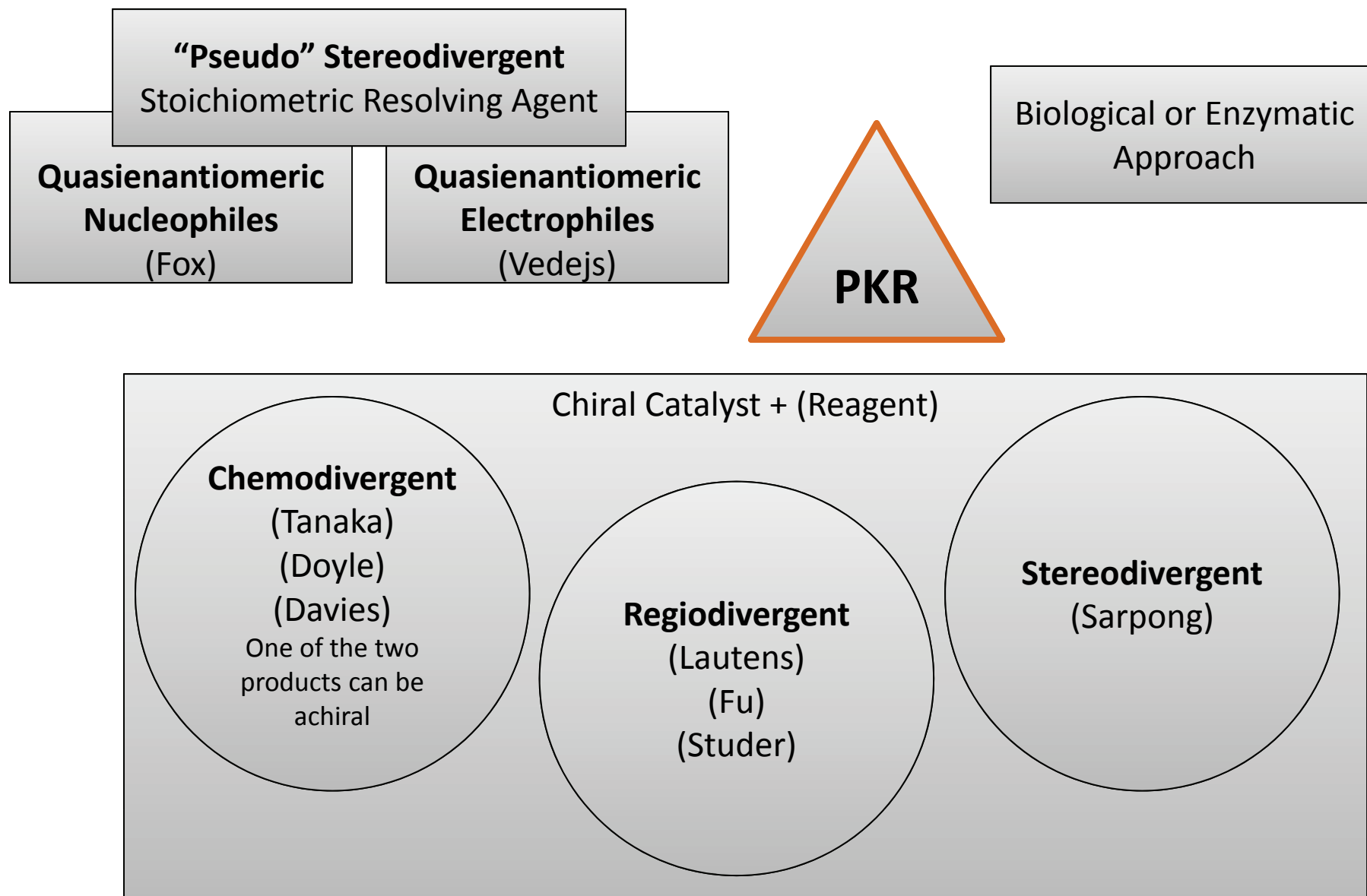
Using Two Catalysts in a Three-Phase System



Calculation based on $s = 23$

Conversion (%)	SM ee (%)	Max. yield (%)	Product ee (%)	Max. yield (%)
50	81	50	81	50
54	89	46	77	54
56	94	44	74	56

Summary



Summary

- PKR minimizes the built-up of the slower reacting enantiomer.
- The s factor can be significantly less to achieve comparable results to KR.
- If s factor is greater than 125, it is not worthwhile to perform a PKR.
- Rational design of a PKR is very challenging.
- Discovery of a PKR depends on careful analysis of the products.
- For an ideal PKR, the chiral catalyst should have complete control for the Regio- or Stereoselectivity over substrate control.